Perfect Locating of All Vertices in Some Classes of Neutrosophic Graphs

Preprint · July 2022

DOI: 10.13140/RG.2.2.23971.12326

Perfect Locating of All Vertices in Some Classes of Neutrosophic Graphs

Henry Garrett

Independent Researcher

DrHenryGarrett@gmail.com

Twitter's ID: @DrHenryGarrett | ©DrHenryGarrett.wordpress.com

Abstract

New setting is introduced to study total-resolving number and neutrosophic total-resolving number arising from total-resolved vertices in neutrosophic graphs assigned to neutrosophic graphs. Minimum number of total-resolved vertices, is a number which is representative based on those vertices. Minimum neutrosophic number of total-resolved vertices corresponded to total-resolving set is called neutrosophic total-resolving number. Forming sets from total-resolved vertices to figure out different types of number of vertices in the sets from total-resolved sets in the terms of minimum number of vertices to get minimum number to assign to neutrosophic graphs is key type of approach to have these notions namely total-resolving number and neutrosophic total-resolving number arising from total-resolved vertices in neutrosophic graphs assigned to neutrosophic graphs. Two numbers and one set are assigned to a neutrosophic graph, are obtained but now both settings lead to approach is on demand which is to compute and to find representatives of sets having smallest number of total-resolved vertices from different types of sets in the terms of minimum number and minimum neutrosophic number forming it to get minimum number to assign to a neutrosophic graph. Let $NTG : (V, E, \sigma, \mu)$ be a neutrosophic graph. Then for given vertices n and n' if $d(s, n) \neq d(s, n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices, $d \geq 1$ and all vertices have to be total-resolved otherwise it will be mentioned which is about $d \geq 0$ in some cases but all vertices have to be total-resolved forever. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(NTG)$; for given vertices n and n' if $d(s, n) \neq d(s, n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices, $d \geq 1$ and all vertices have to be total-resolved otherwise it will be mentioned which is about $d \geq 0$ in some cases but all vertices have to be total-resolved forever. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(NTG)$. As concluding results, there are some statements, remarks, examples and clarifications about some classes of neutrosophic graphs namely path-neutrosophic graphs, cycle-neutrosophic graphs, complete-neutrosophic graphs, star-neutrosophic graphs, complete-bipartite-neutrosophic graphs, complete-t-partite-neutrosophic graphs, and wheel-neutrosophic graphs. The clarifications are also presented in both sections "Setting of total-resolving number," and "Setting of neutrosophic total-resolving number," for introduced results and used classes. This approach facilitates identifying sets which form total-resolving number and neutrosophic total-resolving number arising from total-resolved vertices in neutrosophic graphs assigned to neutrosophic graphs. In both settings, some classes of well-known neutrosophic graphs are studied. Some clarifications for each result and each definition are provided. The cardinality of set of total-resolved vertices and neutrosophic cardinality of set of total-resolved vertices corresponded to total-resolving set have eligibility to define total-resolving number and neutrosophic total-resolving number but different types of set of total-resolved vertices to define total-resolving sets. Some results get more frameworks and more perspectives about these definitions. The way in that, different types of set of total-resolved vertices in the terms of minimum number to assign to neutrosophic graphs, opens the way to do some approaches. These notions are applied into neutrosophic graphs as individuals but not family of them as drawbacks for these notions. Finding special neutrosophic graphs which are well-known, is an open way to pursue this study. Neutrosophic total-resolving notion is applied to different settings and classes of neutrosophic graphs. Some problems are proposed to pursue this study. Basic familiarities with graph theory and neutrosophic graph theory are proposed for this article.

Keywords: Total-Resolving Number, Neutrosophic Total-Resolving Number, Classes of Neutrosophic Graphs

AMS Subject Classification: 05C17, 05C22, 05E45

1 Background

Fuzzy set in **Ref.** [22] by Zadeh (1965), intuitionistic fuzzy sets in **Ref.** [5] by Atanassov (1986), a first step to a theory of the intuitionistic fuzzy graphs in **Ref.** [19] by Shannon and Atanassov (1994), a unifying field in logics neutrosophy: neutrosophic probability, set and logic, rehoboth in **Ref.** [20] by Smarandache (1998), single-valued neutrosophic sets in **Ref.** [21] by Wang et al. (2010), single-valued neutrosophic graphs in **Ref.** [9] by Broumi et al. (2016), operations on single-valued neutrosophic graphs in **Ref.** [1] by Akram and Shahzadi (2017), neutrosophic soft graphs in **Ref.** [18] by Shah and Hussain (2016), bounds on the average and minimum attendance in preference-based activity scheduling in **Ref.** [3] by Aronshtam and Ilani (2022), investigating the recoverable robust single machine scheduling problem under interval uncertainty in **Ref.** [8] by Bold and Goerigk (2022), polyhedra associated with locating-dominating, open locating-dominating and locating total-dominating sets in graphs in **Ref.** [2] by G. Argiroffo et al. (2022), a Vizing-type result for semi-total domination in **Ref.** [4] by J. Asplund et al. (2020), total domination cover rubbling in **Ref.** [6] by R.A. Beeler et al. (2020), on the global total k-domination number of graphs in **Ref.** [7] by S. Bermudo et al. (2019), maker–breaker total domination game in **Ref.** [10] by V. Gledel et al. (2020), a new upper bound on the total domination number in graphs with minimum degree six in **Ref.** [11] by M.A. Henning, and A. Yeo (2021), effect of predomination and vertex removal on the game total domination number of a graph in **Ref.** [16] by V. Irsic (2019), hardness results of global total k-domination problem in graphs in **Ref.** [17] by B.S. Panda, and P. Goyal (2021), dimension and coloring alongside domination in neutrosophic hypergraphs in **Ref.** [13] by Henry Garrett (2022), three types of neutrosophic alliances based on connectedness and (strong) edges in **Ref.** [15] by Henry

Garrett (2022), properties of SuperHyperGraph and neutrosophic SuperHyperGraph in **Ref.** [14] by Henry Garrett (2022), are studied. Also, some studies and researches about neutrosophic graphs, are proposed as a book in **Ref.** [12] by Henry Garrett (2022).

In this section, I use two subsections to illustrate a perspective about the background of this study.

1.1 Motivation and Contributions

In this study, there's an idea which could be considered as a motivation.

Question 1.1. *Is it possible to use mixed versions of ideas concerning "total-resolving number", "neutrosophic total-resolving number" and "Neutrosophic Graph" to define some notions which are applied to neutrosophic graphs?*

It's motivation to find notions to use in any classes of neutrosophic graphs. Real-world applications about time table and scheduling are another thoughts which lead to be considered as motivation. Having connection amid two vertices have key roles to assign total-resolving number and neutrosophic total-resolving number arising from total-resolved vertices in neutrosophic graphs assigned to neutrosophic graphs. Thus they're used to define new ideas which conclude to the structure of total-resolving number and neutrosophic total-resolving number arising from total-resolved vertices in neutrosophic graphs assigned to neutrosophic graphs. The concept of having smallest number of total-resolved vertices in the terms of crisp setting and in the terms of neutrosophic setting inspires us to study the behavior of all total-resolved vertices in the way that, some types of numbers, total-resolving number and neutrosophic total-resolving number arising from total-resolved vertices in neutrosophic graphs assigned to neutrosophic graphs, are the cases of study in the setting of individuals. In both settings, corresponded numbers conclude the discussion. Also, there are some avenues to extend these notions.

The framework of this study is as follows. In the beginning, I introduce basic definitions to clarify about preliminaries. In subsection "Preliminaries", new notions of total-resolving number and neutrosophic total-resolving number arising from total-resolved vertices in neutrosophic graphs assigned to neutrosophic graphs, are highlighted, are introduced and are clarified as individuals. In section "Preliminaries", minimum number of total-resolved vertices, is a number which is representative based on those vertices, have the key role in this way. General results are obtained and also, the results about the basic notions of total-resolving number and neutrosophic total-resolving number arising from total-resolved vertices in neutrosophic graphs assigned to neutrosophic graphs, are elicited. Some classes of neutrosophic graphs are studied in the terms of total-resolving number and neutrosophic total-resolving number arising from total-resolved vertices in neutrosophic graphs assigned to neutrosophic graphs, in section "Setting of total-resolving number," as individuals. In section "Setting of total-resolving number," total-resolving number is applied into individuals. As concluding results, there are some statements, remarks, examples and clarifications about some classes of neutrosophic graphs namely path-neutrosophic graphs, cycle-neutrosophic graphs, complete-neutrosophic graphs, star-neutrosophic graphs, complete-bipartite-neutrosophic graphs, complete-t-partite-neutrosophic graphs, and wheel-neutrosophic graphs. The clarifications are also presented in both sections "Setting of total-resolving number," and "Setting of neutrosophic total-resolving number," for introduced results and used classes. In section "Applications in Time Table and Scheduling", two applications are posed for quasi-complete and complete notions, namely complete-neutrosophic graphs and complete-t-partite-neutrosophic graphs concerning time table and scheduling when the suspicions are about choosing some subjects and the mentioned models are considered as individual. In section "Open

Problems", some problems and questions for further studies are proposed. In section "Conclusion and Closing Remarks", gentle discussion about results and applications is featured. In section "Conclusion and Closing Remarks", a brief overview concerning advantages and limitations of this study alongside conclusions is formed.

1.2 Preliminaries

In this subsection, basic material which is used in this article, is presented. Also, new ideas and their clarifications are elicited.

Basic idea is about the model which is used. First definition introduces basic model.

Definition 1.2. (Graph).

$G = (V, E)$ is called a **graph** if V is a set of objects and E is a subset of $V \times V$ (E is a set of 2-subsets of V) where V is called **vertex set** and E is called **edge set**. Every two vertices have been corresponded to at most one edge.

Neutrosophic graph is the foundation of results in this paper which is defined as follows. Also, some related notions are demonstrated.

Definition 1.3. (Neutrosophic Graph And Its Special Case).

$NTG = (V, E, \sigma = (\sigma_1, \sigma_2, \sigma_3), \mu = (\mu_1, \mu_2, \mu_3))$ is called a **neutrosophic graph** if it's graph, $\sigma_i : V \to [0, 1]$, and $\mu_i : E \to [0, 1]$. We add one condition on it and we use **special case** of neutrosophic graph but with same name. The added condition is as follows, for every $v_i v_j \in E$,

$$\mu(v_i v_j) \leq \sigma(v_i) \wedge \sigma(v_j).$$

(i) : σ is called **neutrosophic vertex set**.

(ii) : μ is called **neutrosophic edge set**.

(iii) : $|V|$ is called **order** of NTG and it's denoted by $\mathcal{O}(NTG)$.

(iv) : $\sum_{v \in V} \sum_{i=1}^{3} \sigma_i(v)$ is called **neutrosophic order** of NTG and it's denoted by $\mathcal{O}_n(NTG)$.

(v) : $|E|$ is called **size** of NTG and it's denoted by $\mathcal{S}(NTG)$.

(vi) : $\sum_{e \in E} \sum_{i=1}^{3} \mu_i(e)$ is called **neutrosophic size** of NTG and it's denoted by $\mathcal{S}_n(NTG)$.

Some classes of well-known neutrosophic graphs are defined. These classes of neutrosophic graphs are used to form this study and the most results are about them.

Definition 1.4. Let $NTG : (V, E, \sigma, \mu)$ be a neutrosophic graph. Then

(i) : a sequence of consecutive vertices $P : x_0, x_1, \cdots, x_{\mathcal{O}(NTG)}$ is called **path** where $x_i x_{i+1} \in E,\ i = 0, 1, \cdots, \mathcal{O}(NTG) - 1$;

(ii) : **strength** of path $P : x_0, x_1, \cdots, x_{\mathcal{O}(NTG)}$ is $\bigwedge_{i=0,\cdots,\mathcal{O}(NTG)-1} \mu(x_i x_{i+1})$;

(iii) : **connectedness** amid vertices x_0 and x_t is

$$\mu^{\infty}(x_0, x_t) = \bigvee_{P: x_0, x_1, \cdots, x_t} \bigwedge_{i=0,\cdots,t-1} \mu(x_i x_{i+1});$$

(iv) : a sequence of consecutive vertices $P : x_0, x_1, \cdots, x_{\mathcal{O}(NTG)}, x_0$ is called **cycle** where $x_i x_{i+1} \in E,\ i = 0, 1, \cdots, \mathcal{O}(NTG) - 1,\ x_{\mathcal{O}(NTG)} x_0 \in E$ and there are two edges xy and uv such that $\mu(xy) = \mu(uv) = \bigwedge_{i=0,1,\cdots,n-1} \mu(v_i v_{i+1})$;

(v) : it's **t-partite** where V is partitioned to t parts, $V_1^{s_1}, V_2^{s_2}, \cdots, V_t^{s_t}$ and the edge xy implies $x \in V_i^{s_i}$ and $y \in V_j^{s_j}$ where $i \neq j$. If it's complete, then it's denoted by $K_{\sigma_1,\sigma_2,\cdots,\sigma_t}$ where σ_i is σ on $V_i^{s_i}$ instead V which mean $x \notin V_i$ induces $\sigma_i(x) = 0$. Also, $|V_j^{s_i}| = s_i$;

(vi) : t-partite is **complete bipartite** if $t = 2$, and it's denoted by K_{σ_1,σ_2};

(vii) : complete bipartite is **star** if $|V_1| = 1$, and it's denoted by S_{1,σ_2};

$(viii)$: a vertex in V is **center** if the vertex joins to all vertices of a cycle. Then it's **wheel** and it's denoted by W_{1,σ_2};

(ix) : it's **complete** where $\forall uv \in V,\ \mu(uv) = \sigma(u) \wedge \sigma(v)$;

(x) : it's **strong** where $\forall uv \in E,\ \mu(uv) = \sigma(u) \wedge \sigma(v)$.

To make them concrete, I bring preliminaries of this article in two upcoming definitions in other ways.

Definition 1.5. (Neutrosophic Graph And Its Special Case).

$NTG = (V, E, \sigma = (\sigma_1, \sigma_2, \sigma_3), \mu = (\mu_1, \mu_2, \mu_3))$ is called a **neutrosophic graph** if it's graph, $\sigma_i : V \to [0,1]$, and $\mu_i : E \to [0,1]$. We add one condition on it and we use **special case** of neutrosophic graph but with same name. The added condition is as follows, for every $v_iv_j \in E$,

$$\mu(v_iv_j) \leq \sigma(v_i) \wedge \sigma(v_j).$$

$|V|$ is called **order** of NTG and it's denoted by $\mathcal{O}(NTG)$. $\Sigma_{v\in V}\sigma(v)$ is called **neutrosophic order** of NTG and it's denoted by $\mathcal{O}_n(NTG)$.

Definition 1.6. Let $NTG : (V, E, \sigma, \mu)$ be a neutrosophic graph. Then it's **complete** and denoted by CMT_σ if $\forall x, y \in V, xy \in E$ and $\mu(xy) = \sigma(x) \wedge \sigma(y)$; a sequence of consecutive vertices $P : x_0, x_1, \cdots, x_{\mathcal{O}(NTG)}$ is called **path** and it's denoted by PTH where $x_ix_{i+1} \in E,\ i = 0, 1, \cdots, n-1$; a sequence of consecutive vertices $P : x_0, x_1, \cdots, x_{\mathcal{O}(NTG)}, x_0$ is called **cycle** and denoted by CYC where $x_ix_{i+1} \in E,\ i = 0, 1, \cdots, n-1,\ x_{\mathcal{O}(NTG)}x_0 \in E$ and there are two edges xy and uv such that $\mu(xy) = \mu(uv) = \bigwedge_{i=0,1,\cdots,n-1} \mu(v_iv_{i+1})$; it's **t-partite** where V is partitioned to t parts, $V_1^{s_1}, V_2^{s_2}, \cdots, V_t^{s_t}$ and the edge xy implies $x \in V_i^{s_i}$ and $y \in V_j^{s_j}$ where $i \neq j$. If it's **complete**, then it's denoted by $CMT_{\sigma_1,\sigma_2,\cdots,\sigma_t}$ where σ_i is σ on $V_i^{s_i}$ instead V which mean $x \notin V_i$ induces $\sigma_i(x) = 0$. Also, $|V_j^{s_i}| = s_i$; t-partite is **complete bipartite** if $t = 2$, and it's denoted by CMT_{σ_1,σ_2}; complete bipartite is **star** if $|V_1| = 1$, and it's denoted by STR_{1,σ_2}; a vertex in V is **center** if the vertex joins to all vertices of a cycle. Then it's **wheel** and it's denoted by WHL_{1,σ_2}.

Remark 1.7. Using notations which is mixed with literatures, are reviewed.

1. $NTG = (V, E, \sigma = (\sigma_1, \sigma_2, \sigma_3), \mu = (\mu_1, \mu_2, \mu_3)),\ \mathcal{O}(NTG)$, and $\mathcal{O}_n(NTG)$;
2. $CMT_\sigma, PTH, CYC, STR_{1,\sigma_2}, CMT_{\sigma_1,\sigma_2}, CMT_{\sigma_1,\sigma_2,\cdots,\sigma_t}$, and WHL_{1,σ_2}.

Definition 1.8. (total-resolving numbers).

Let $NTG : (V, E, \sigma, \mu)$ be a neutrosophic graph. Then

(i) for given vertices n and n' if $d(s, n) \neq d(s, n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices, $d \geq 1$ and all vertices have to be total-resolved otherwise it will be mentioned which is about $d \geq 0$ in some cases but all vertices have to be total-resolved forever. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called **total-resolving set**. The minimum cardinality between all total-resolving sets is called **total-resolving number** and it's denoted by $\mathcal{T}(NTG)$;

(*ii*) for given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices, $d \geq 1$ and all vertices have to be total-resolved otherwise it will be mentioned which is about $d \geq 0$ in some cases but all vertices have to be total-resolved forever. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called **total-resolving set**. The minimum neutrosophic cardinality between all total-resolving sets is called **neutrosophic total-resolving number** and it's denoted by $\mathcal{T}_n(NTG)$.

For convenient usages, the word neutrosophic which is used in previous definition, won't be used, usually.

Proposition 1.9. *Let* $NTG : (V, E, \sigma, \mu)$ *be a neutrosophic graph. Then* $|S| \geq 2$.

Proposition 1.10. *Let* $NTG : (V, E, \sigma, \mu)$ *be a neutrosophic graph. Then if there are twin vertices then total-resolving set and total-resolving number are Not Existed.*

In next part, clarifications about main definition are given. To avoid confusion and for convenient usages, examples are usually used after every part and names are used in the way that, abbreviation, simplicity, and summarization are the matters of mind.

Example 1.11. In Figure (1), a complete-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(*i*) For given neutrosophic vertex, s, there's an edge with other vertices;

(*ii*) in the setting of complete, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed;

(*iii*) all total-resolving sets corresponded to total-resolving number are

Not Existed.

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(NTG) =$ Not Existed; and corresponded to total-resolving sets are

Not Existed;

(*iv*) there's no total-resolving set

Not Existed,

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

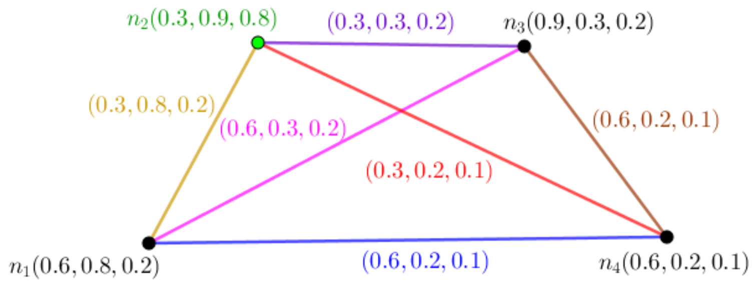

Figure 1. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

(v) there's no total-resolving set

$$\text{Not Existed},$$

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(vi) all total-resolving sets corresponded to total-resolving number are

$$\text{Not Existed}.$$

For given vertices n and n' if $d(s, n) \neq d(s, n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(NTG) = \text{Not Existed}$; and corresponded to total-resolving sets are

$$\text{Not Existed}.$$

2 Setting of total-resolving number

In this section, I provide some results in the setting of total-resolving number. Some classes of neutrosophic graphs are chosen. Complete-neutrosophic graph, path-neutrosophic graph, cycle-neutrosophic graph, star-neutrosophic graph, bipartite-neutrosophic graph, t-partite-neutrosophic graph, and wheel-neutrosophic graph, are both of cases of study and classes which the results are about them.

Proposition 2.1. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-neutrosophic graph. Then*

$$\mathcal{T}(CMT_\sigma) = \textit{Not Existed}.$$

Proof. Suppose $CMT_\sigma : (V, E, \sigma, \mu)$ is a complete-neutrosophic graph. By $CMT_\sigma : (V, E, \sigma, \mu)$ is a complete-neutrosophic graph, all vertices are connected to each other. So there's one edge between two vertices. In the setting of complete, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed. All total-resolving sets corresponded to total-resolving number are

$$\text{Not Existed.}$$

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by

$$\mathcal{T}(CMT_{\sigma}) = \text{Not Existed;}$$

and corresponded to total-resolving sets are

$$\text{Not Existed.}$$

Thus

$$\mathcal{T}(CMT_{\sigma}) = \text{Not Existed.}$$

□

Proposition 2.2. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-neutrosophic graph. Then total-resolving number isn't equal to resolving number.*

Proposition 2.3. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-neutrosophic graph. Then the number of total-resolving sets corresponded to total-resolving number is Not Existed.*

Proposition 2.4. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-neutrosophic graph. Then the number of total-resolving sets is Not Existed.*

The clarifications about results are in progress as follows. A complete-neutrosophic graph is related to previous result and it's studied to apply the definitions on it. To make it more clear, next part gives one special case to apply definitions and results on it. Some items are devised to make more sense about new notions. A complete-neutrosophic graph is related to previous result and it's studied to apply the definitions on it, too.

Example 2.5. In Figure (2), a complete-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(i) For given neutrosophic vertex, s, there's an edge with other vertices;

(ii) in the setting of complete, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed;

(iii) all total-resolving sets corresponded to total-resolving number are

$$\text{Not Existed.}$$

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called

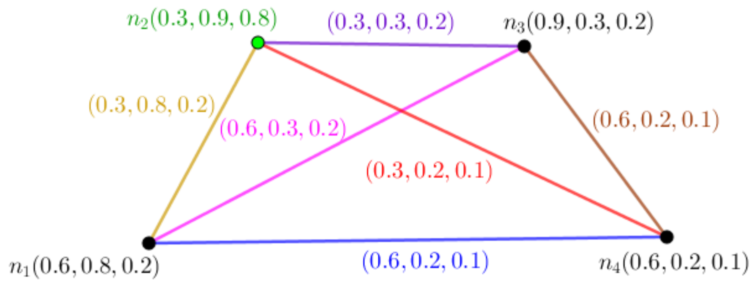

Figure 2. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(CMT_\sigma) =$ Not Existed; and corresponded to total-resolving sets are

$$\text{Not Existed;}$$

(iv) there's no total-resolving set

$$\text{Not Existed,}$$

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(v) there's no total-resolving set

$$\text{Not Existed,}$$

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(vi) all total-resolving sets corresponded to total-resolving number are

$$\text{Not Existed.}$$

For given vertices n and n' if $d(s, n) \neq d(s, n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(CMT_\sigma) =$ Not Existed; and corresponded to total-resolving sets are

$$\text{Not Existed.}$$

Another class of neutrosophic graphs is addressed to path-neutrosophic graph where $d \geq 0$.

Proposition 2.6. *Let $NTG : (V, E, \sigma, \mu)$ be a path-neutrosophic graph where $d \geq 0$. Then*

$$\mathcal{T}(PTH) = 2.$$

Proof. Suppose $PTH : (V, E, \sigma, \mu)$ is a path-neutrosophic graph. Let $n_1, n_2, \ldots, n_{\mathcal{O}(PTH)}$ be a path-neutrosophic graph. For given two vertices, x and y, there's one path from x to y. In the setting of path, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve since a vertex couldn't resolve itself. Thus two vertices are necessary in S. All total-resolving sets corresponded to total-resolving number are

$$\begin{aligned}
&\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\}, \ldots, \{n_1, n_{\mathcal{O}(PTH)-2}\}, \{n_1, n_{\mathcal{O}(PTH)-1}\}, \{n_1, n_{\mathcal{O}(PTH)}\},\\
&\{n_2, n_3\}, \{n_2, n_4\}, \{n_2, n_5\}, \ldots, \{n_2, n_{\mathcal{O}(PTH)-2}\}, \{n_2, n_{\mathcal{O}(PTH)-1}\}, \{n_2, n_{\mathcal{O}(PTH)}\},\\
&\{n_3, n_4\}, \{n_2, n_5\}, \{n_2, n_6\}, \ldots, \{n_2, n_{\mathcal{O}(PTH)-2}\}, \{n_2, n_{\mathcal{O}(PTH)-1}\}, \{n_2, n_{\mathcal{O}(PTH)}\},\\
&\ldots,\\
&\{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)-2}\}, \{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)-1}\}, \{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)}\},\\
&\{n_{\mathcal{O}(PTH)-2}, n_{\mathcal{O}(PTH)-1}\}, \{n_{\mathcal{O}(PTH)-2}, n_{\mathcal{O}(PTH)}\},\\
&\{n_{\mathcal{O}(PTH)-1}, n_{\mathcal{O}(PTH)}\}
\end{aligned}$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by

$$\mathcal{T}(PTH) = 2$$

and corresponded to total-resolving sets are

$$\begin{aligned}
&\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\}, \ldots, \{n_1, n_{\mathcal{O}(PTH)-2}\}, \{n_1, n_{\mathcal{O}(PTH)-1}\}, \{n_1, n_{\mathcal{O}(PTH)}\},\\
&\{n_2, n_3\}, \{n_2, n_4\}, \{n_2, n_5\}, \ldots, \{n_2, n_{\mathcal{O}(PTH)-2}\}, \{n_2, n_{\mathcal{O}(PTH)-1}\}, \{n_2, n_{\mathcal{O}(PTH)}\},\\
&\{n_3, n_4\}, \{n_2, n_5\}, \{n_2, n_6\}, \ldots, \{n_2, n_{\mathcal{O}(PTH)-2}\}, \{n_2, n_{\mathcal{O}(PTH)-1}\}, \{n_2, n_{\mathcal{O}(PTH)}\},\\
&\ldots,\\
&\{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)-2}\}, \{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)-1}\}, \{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)}\},\\
&\{n_{\mathcal{O}(PTH)-2}, n_{\mathcal{O}(PTH)-1}\}, \{n_{\mathcal{O}(PTH)-2}, n_{\mathcal{O}(PTH)}\},\\
&\{n_{\mathcal{O}(PTH)-1}, n_{\mathcal{O}(PTH)}\}
\end{aligned}$$

Thus

$$\mathcal{T}(PTH) = 2.$$

□

Proposition 2.7. *Let $NTG : (V, E, \sigma, \mu)$ be a path-neutrosophic graph where $d \geq 0$. Then total-resolving number isn't equal to resolving number.*

Proposition 2.8. *Let $NTG : (V, E, \sigma, \mu)$ be a path-neutrosophic graph where $d \geq 0$. Then the number of total-resolving sets corresponded to total-resolving number is equal to $\mathcal{O}(PTH)$ choose two.*

Proposition 2.9. *Let $NTG : (V, E, \sigma, \mu)$ be a path-neutrosophic graph where $d \geq 0$. Then the number of total-resolving sets is equal to $2^{\mathcal{O}(PTH)} - \mathcal{O}(PTH) - 1$.*

Example 2.10. There are two sections for clarifications where $d \geq 0$.

(a) In Figure (3), an odd-path-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(i) For given neutrosophic vertex, s, there's only one path with other vertices;

(ii) in the setting of path, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve since a vertex couldn't resolve itself. Thus two vertices are necessary in S;

(iii) all total-resolving sets corresponded to total-resolving number are

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(PTH) = 2$ and corresponded to total-resolving sets are

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\};$$

(iv) there are twenty-six total-resolving sets

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}, \{n_1, n_2, n_3\}, \{n_1, n_2, n_4\},$$
$$\{n_1, n_2, n_5\}, \{n_1, n_3, n_4\}, \{n_1, n_3, n_5\},$$
$$\{n_1, n_4, n_5\}, \{n_2, n_3, n_4\}, \{n_2, n_3, n_5\},$$
$$\{n_2, n_4, n_5\}, \{n_3, n_4, n_5\}, \{n_1, n_2, n_3, n_4\},$$
$$\{n_1, n_2, n_3, n_5\}, \{n_1, n_2, n_4, n_5\}, \{n_1, n_3, n_4, n_5\},$$
$$\{n_2, n_3, n_4, n_5\}, \{n_1, n_2, n_3, n_4, n_5\},$$

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(v) there are ten total-resolving sets

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\},$$

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(*vi*) all total-resolving sets corresponded to total-resolving number are

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(PTH) = 1.9$ and corresponded to total-resolving sets are

$$\{n_3, n_4\}, \{n_3, n_5\}.$$

(*b*) In Figure (4), an even-path-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(*i*) For given neutrosophic vertex, s, there's only one path with other vertices;

(*ii*) in the setting of path, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve since a vertex couldn't resolve itself. Thus two vertices are necessary in S;

(*iii*) all total-resolving sets corresponded to total-resolving number are

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}, \ldots.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(PTH) = 2$ and corresponded to total-resolving sets are

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}, \ldots;$$

(iv) there are fifty-seven total-resolving sets

$$\{n_1,n_2\},\{n_1,n_3\},\{n_1,n_4\},$$
$$\{n_1,n_5\},\{n_2,n_3\},\{n_2,n_4\},$$
$$\{n_2,n_5\},\{n_3,n_4\},\{n_3,n_5\},$$
$$\{n_4,n_5\},\{n_1,n_2,n_3\},\{n_1,n_2,n_4\},$$
$$\{n_1,n_2,n_5\},\{n_1,n_3,n_4\},\{n_1,n_3,n_5\},$$
$$\{n_1,n_4,n_5\},\{n_2,n_3,n_4\},\{n_2,n_3,n_5\},$$
$$\{n_2,n_4,n_5\},\{n_3,n_4,n_5\},\{n_1,n_2,n_3,n_4\},$$
$$\{n_1,n_2,n_3,n_5\},\{n_1,n_2,n_4,n_5\},\{n_1,n_3,n_4,n_5\},$$
$$\{n_2,n_3,n_4,n_5\},\{n_1,n_2,n_3,n_4,n_5\},\ldots$$

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(v) there are fifteen total-resolving sets

$$\{n_1,n_2\},\{n_1,n_3\},\{n_1,n_4\},$$
$$\{n_1,n_5\},\{n_2,n_3\},\{n_2,n_4\},$$
$$\{n_2,n_5\},\{n_3,n_4\},\{n_3,n_5\},$$
$$\{n_4,n_5\},\ldots,$$

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(vi) all total-resolving sets corresponded to total-resolving number are

$$\{n_1,n_2\},\{n_1,n_3\},\{n_1,n_4\},$$
$$\{n_1,n_5\},\{n_2,n_3\},\{n_2,n_4\},$$
$$\{n_2,n_5\},\{n_3,n_4\},\{n_3,n_5\},$$
$$\{n_4,n_5\},\ldots.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(PTH) = 1.8$ and corresponded to total-resolving sets are

$$\{n_2,n_3\}.$$

Proposition 2.11. *Let $NTG : (V,E,\sigma,\mu)$ be a cycle-neutrosophic graph where $\mathcal{O}(CYC) \geq 3$ and $d \geq 0$. Then*

$$\mathcal{T}(CYC) = 2.$$

Proof. Suppose $CYC : (V,E,\sigma,\mu)$ is a cycle-neutrosophic graph. For given two vertices, x and y, there are only two paths with distinct edges from x to y. Let

$$x_1, x_2, \cdots, x_{\mathcal{O}(CYC)-1}, x_{\mathcal{O}(CYC)}, x_1$$

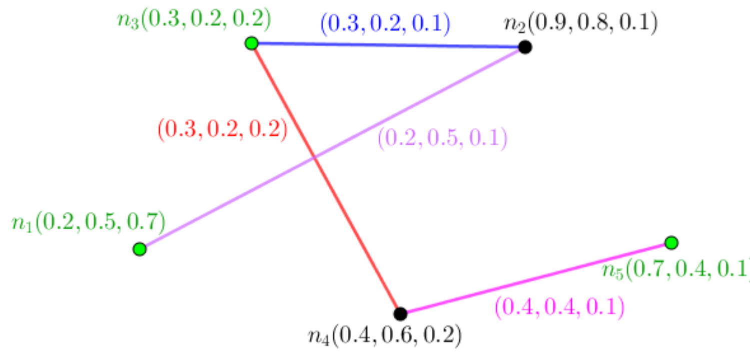

Figure 3. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

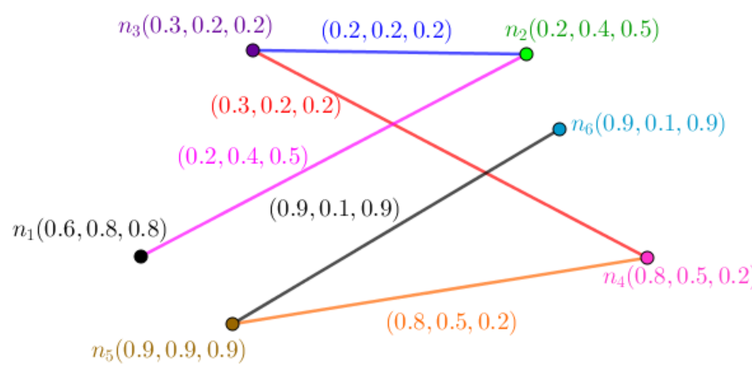

Figure 4. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

be a cycle-neutrosophic graph $CYC : (V, E, \sigma, \mu)$. In the setting of cycle, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve since a vertex couldn't resolve itself. Thus two [minus antipodal pairs] vertices are necessary in S. All total-resolving sets corresponded to total-resolving number are [minus antipodal pairs]

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\}, \ldots, \{n_1, n_{\mathcal{O}(PTH)-2}\}, \{n_1, n_{\mathcal{O}(PTH)-1}\}, \{n_1, n_{\mathcal{O}(PTH)}\},$$
$$\{n_2, n_3\}, \{n_2, n_4\}, \{n_2, n_5\}, \ldots, \{n_2, n_{\mathcal{O}(PTH)-2}\}, \{n_2, n_{\mathcal{O}(PTH)-1}\}, \{n_2, n_{\mathcal{O}(PTH)}\},$$
$$\{n_3, n_4\}, \{n_2, n_5\}, \{n_2, n_6\}, \ldots, \{n_2, n_{\mathcal{O}(PTH)-2}\}, \{n_2, n_{\mathcal{O}(PTH)-1}\}, \{n_2, n_{\mathcal{O}(PTH)}\},$$
$$\ldots,$$
$$\{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)-2}\}, \{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)-1}\}, \{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)}\},$$
$$\{n_{\mathcal{O}(PTH)-2}, n_{\mathcal{O}(PTH)-1}\}, \{n_{\mathcal{O}(PTH)-2}, n_{\mathcal{O}(PTH)}\},$$
$$\{n_{\mathcal{O}(PTH)-1}, n_{\mathcal{O}(PTH)}\}$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(CYC) = 2$ and corresponded to total-resolving sets are [minus antipodal pairs]

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\}, \ldots, \{n_1, n_{\mathcal{O}(PTH)-2}\}, \{n_1, n_{\mathcal{O}(PTH)-1}\}, \{n_1, n_{\mathcal{O}(PTH)}\},$$
$$\{n_2, n_3\}, \{n_2, n_4\}, \{n_2, n_5\}, \ldots, \{n_2, n_{\mathcal{O}(PTH)-2}\}, \{n_2, n_{\mathcal{O}(PTH)-1}\}, \{n_2, n_{\mathcal{O}(PTH)}\},$$
$$\{n_3, n_4\}, \{n_2, n_5\}, \{n_2, n_6\}, \ldots, \{n_2, n_{\mathcal{O}(PTH)-2}\}, \{n_2, n_{\mathcal{O}(PTH)-1}\}, \{n_2, n_{\mathcal{O}(PTH)}\},$$
$$\ldots,$$
$$\{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)-2}\}, \{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)-1}\}, \{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)}\},$$
$$\{n_{\mathcal{O}(PTH)-2}, n_{\mathcal{O}(PTH)-1}\}, \{n_{\mathcal{O}(PTH)-2}, n_{\mathcal{O}(PTH)}\},$$
$$\{n_{\mathcal{O}(PTH)-1}, n_{\mathcal{O}(PTH)}\}$$

Thus

$$\mathcal{T}(CYC) = 2.$$

□

Proposition 2.12. *Let $NTG : (V, E, \sigma, \mu)$ be a cycle-neutrosophic graph where $d \geq 0$. Then total-resolving number is equal to resolving number.*

Antipodal vertices in even-cycle-neutrosophic graph differ the number in cycle-neutrosophic graph.

Proposition 2.13. *Let $NTG : (V, E, \sigma, \mu)$ be an odd-cycle-neutrosophic graph where $d \geq 0$. Then the number of total-resolving sets corresponded to total-resolving number is equal to $\mathcal{O}(CYC)$ choose two.*

Proposition 2.14. *Let $NTG : (V, E, \sigma, \mu)$ be an odd-cycle-neutrosophic graph where $d \geq 0$. Then the number of total-resolving sets is equal to $2^{\mathcal{O}(CYC)} - \mathcal{O}(CYC) - 1$.*

We've to eliminate antipodal vertices due to total-resolving implies complete resolving.

Proposition 2.15. *Let $NTG : (V, E, \sigma, \mu)$ be an even-cycle-neutrosophic graph where $d \geq 0$. Then the number of total-resolving sets corresponded to total-resolving number is equal to $\mathcal{O}(CYC)$ choose two after that minus $\mathcal{O}(CYC)$.*

Proposition 2.16. *Let $NTG : (V, E, \sigma, \mu)$ be an even-cycle-neutrosophic graph where $d \geq 0$. Then the number of total-resolving sets is equal to $2^{\mathcal{O}(CYC)} - 2\mathcal{O}(CYC) - 1$.*

The clarifications about results are in progress as follows. An odd-cycle-neutrosophic graph is related to previous result and it's studied to apply the definitions on it. To make it more clear, next part gives one special case to apply definitions and results on it. Some items are devised to make more sense about new notions. An even-cycle-neutrosophic graph is related to previous result and it's studied to apply the definitions on it, too.

Example 2.17. There are two sections for clarifications.

(a) In Figure (5), an even-cycle-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(i) For given neutrosophic vertex, s, there are only two paths with other vertices;

(ii) in the setting of cycle, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve since a vertex couldn't resolve itself. Thus two [minus antipodal pairs] vertices are necessary in S. Antipodal pairs are

$$\{n_1, n_4\}, \{n_2, n_5\}, \{n_3, n_6\};$$

(iii) all total-resolving sets corresponded to total-resolving number are [minus antipodal pairs]

$$\begin{aligned}&\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},\\ &\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},\\ &\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},\\ &\{n_4, n_5\}, \ldots.\end{aligned}$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(CYC) = 2$ and corresponded to total-resolving sets are [minus antipodal pairs]

$$\begin{aligned}&\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},\\ &\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},\\ &\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},\\ &\{n_4, n_5\}, \ldots;\end{aligned}$$

(iv) there are fifty-seven [minus antipodal pairs] total-resolving sets

$$\{n_1,n_2\},\{n_1,n_3\},\{n_1,n_4\},$$
$$\{n_1,n_5\},\{n_2,n_3\},\{n_2,n_4\},$$
$$\{n_2,n_5\},\{n_3,n_4\},\{n_3,n_5\},$$
$$\{n_4,n_5\},\{n_1,n_2,n_3\},\{n_1,n_2,n_4\},$$
$$\{n_1,n_2,n_5\},\{n_1,n_3,n_4\},\{n_1,n_3,n_5\},$$
$$\{n_1,n_4,n_5\},\{n_2,n_3,n_4\},\{n_2,n_3,n_5\},$$
$$\{n_2,n_4,n_5\},\{n_3,n_4,n_5\},\{n_1,n_2,n_3,n_4\},$$
$$\{n_1,n_2,n_3,n_5\},\{n_1,n_2,n_4,n_5\},\{n_1,n_3,n_4,n_5\},$$
$$\{n_2,n_3,n_4,n_5\},\{n_1,n_2,n_3,n_4,n_5\},\ldots$$

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(v) there are fifteen [minus antipodal pairs] total-resolving sets

$$\{n_1,n_2\},\{n_1,n_3\},\{n_1,n_4\},$$
$$\{n_1,n_5\},\{n_2,n_3\},\{n_2,n_4\},$$
$$\{n_2,n_5\},\{n_3,n_4\},\{n_3,n_5\},$$
$$\{n_4,n_5\},\ldots,$$

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(vi) all total-resolving sets corresponded to total-resolving number are [minus antipodal pairs]

$$\{n_1,n_2\},\{n_1,n_3\},\{n_1,n_4\},$$
$$\{n_1,n_5\},\{n_2,n_3\},\{n_2,n_4\},$$
$$\{n_2,n_5\},\{n_3,n_4\},\{n_3,n_5\},$$
$$\{n_4,n_5\},\ldots.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(CYC) = 1.3$ and corresponded to total-resolving sets are

$$\{n_1,n_5\}.$$

(b) In Figure (6), an odd-cycle-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(i) For given neutrosophic vertex, s, there are only two paths with other vertices;

(ii) in the setting of cycle, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve since a vertex couldn't resolve itself. Thus two vertices are necessary in S;

(iii) all total-resolving sets corresponded to total-resolving number are

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(CYC) = 2$ and corresponded to total-resolving sets are

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\};$$

(iv) there are twenty-six total-resolving sets

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}, \{n_1, n_2, n_3\}, \{n_1, n_2, n_4\},$$
$$\{n_1, n_2, n_5\}, \{n_1, n_3, n_4\}, \{n_1, n_3, n_5\},$$
$$\{n_1, n_4, n_5\}, \{n_2, n_3, n_4\}, \{n_2, n_3, n_5\},$$
$$\{n_2, n_4, n_5\}, \{n_3, n_4, n_5\}, \{n_1, n_2, n_3, n_4\},$$
$$\{n_1, n_2, n_3, n_5\}, \{n_1, n_2, n_4, n_5\}, \{n_1, n_3, n_4, n_5\},$$
$$\{n_2, n_3, n_4, n_5\}, \{n_1, n_2, n_3, n_4, n_5\},$$

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(v) there are ten total-resolving sets

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\},$$

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(vi) all total-resolving sets corresponded to total-resolving number are

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}.$$

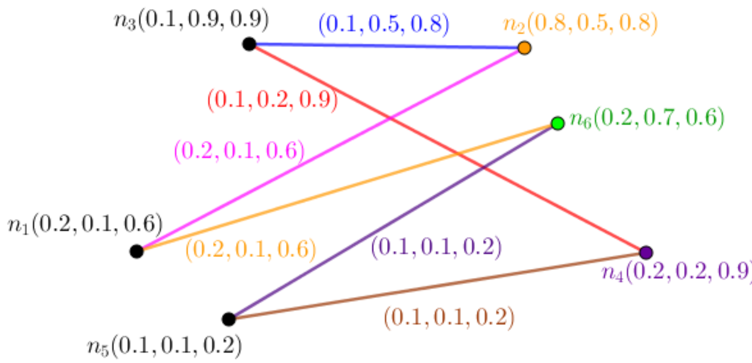

Figure 5. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

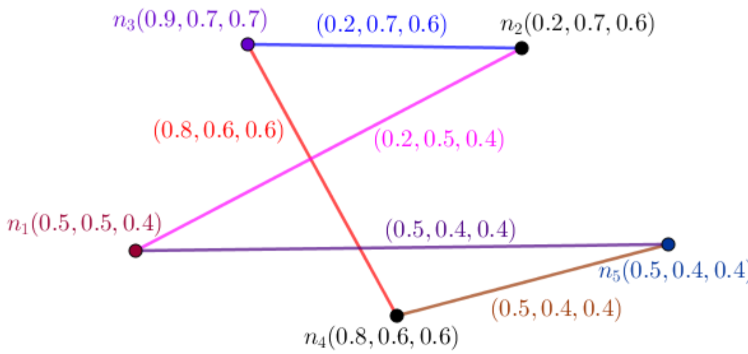

Figure 6. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(CYC) = 2.7$ and corresponded to total-resolving sets are

$$\{n_1, n_5\}.$$

Proposition 2.18. *Let $NTG : (V, E, \sigma, \mu)$ be a star-neutrosophic graph with center c. Then*

$$\mathcal{T}(STR_{1,\sigma_2}) = \textit{Not Existed}.$$

Proof. Suppose $STR_{1,\sigma_2} : (V, E, \sigma, \mu)$ is a star-neutrosophic graph. An edge always has center, c, as one of its endpoints. All paths have one as their lengths, forever. In the setting of star, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed. All total-resolving sets corresponded to total-resolving number are

$$\text{Not Existed.}$$

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by

$$\mathcal{T}(STR_{1,\sigma_2}) = \text{Not Existed};$$

and corresponded to total-resolving sets are

$$\text{Not Existed}.$$

Thus

$$\mathcal{T}(STR_{1,\sigma_2}) = \text{Not Existed}.$$

□

Proposition 2.19. *Let $NTG : (V, E, \sigma, \mu)$ be a star-neutrosophic graph. Then total-resolving number isn't equal to resolving number.*

Proposition 2.20. *Let $NTG : (V, E, \sigma, \mu)$ be a star-neutrosophic graph with center c. Then the number of total-resolving sets is Not Existed.*

Proposition 2.21. *Let $NTG : (V, E, \sigma, \mu)$ be a star-neutrosophic graph with center c. Then the number of total-resolving sets corresponded to total-resolving number is Not Existed.*

The clarifications about results are in progress as follows. A star-neutrosophic graph is related to previous result and it's studied to apply the definitions on it. To make it more clear, next part gives one special case to apply definitions and results on it. Some items are devised to make more sense about new notions. A star-neutrosophic graph is related to previous result and it's studied to apply the definitions on it, too.

Example 2.22. There is one section for clarifications. In Figure (7), a star-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(i) For given two neutrosophic vertices, s and n_1, there's only one path, precisely one edge between them and there's no path despite them;

(ii) in the setting of star, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed;

(iii) all total-resolving sets corresponded to total-resolving number are

$$\text{Not Existed}.$$

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(STR_{1,\sigma_2}) =$ Not Existed; and corresponded to total-resolving sets are

$$\text{Not Existed};$$

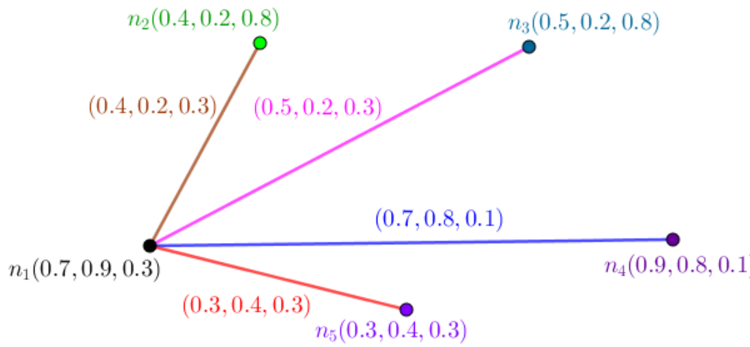

Figure 7. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

(iv) there's no total-resolving set

$$\text{Not Existed},$$

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(v) there's no total-resolving set

$$\text{Not Existed},$$

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(vi) all total-resolving sets corresponded to total-resolving number are

$$\text{Not Existed}.$$

For given vertices n and n' if $d(s, n) \neq d(s, n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(STR_{1,\sigma_2}) = \text{Not Existed}$; and corresponded to total-resolving sets are

$$\text{Not Existed}.$$

Proposition 2.23. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-bipartite-neutrosophic graph which isn't star-neutrosophic graph which means $|V_1|, |V_2| \geq 2$. Then*

$$\mathcal{T}(CMC_{\sigma_1,\sigma_2}) = \textit{Not Existed}.$$

Proof. Suppose $CMC_{\sigma_1,\sigma_2} : (V, E, \sigma, \mu)$ is a complete-bipartite-neutrosophic graph. Every vertex in a part and another vertex in opposite part total-resolves any given vertex. Assume same parity for same partition of vertex set which means V_1 has odd indexes and V_2 has even indexes. In the setting of complete-bipartite, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed. All total-resolving sets corresponded to total-resolving number are

$$\text{Not Existed.}$$

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(CMC_{\sigma_1,\sigma_2}) =$ Not Existed; and corresponded to total-resolving sets are

$$\text{Not Existed.}$$

Thus

$$\mathcal{T}(CMC_{\sigma_1,\sigma_2}) = \text{Not Existed.}$$

□

Proposition 2.24. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-bipartite-neutrosophic graph. Then total-resolving number isn't equal to resolving number.*

Proposition 2.25. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-bipartite-neutrosophic graph. Then the number of total-resolving sets is Not Existed.*

Proposition 2.26. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-bipartite-neutrosophic graph. Then the number of total-resolving sets corresponded to total-resolving number is Not Existed.*

The clarifications about results are in progress as follows. A complete-bipartite-neutrosophic graph is related to previous result and it's studied to apply the definitions on it. To make it more clear, next part gives one special case to apply definitions and results on it. Some items are devised to make more senses about new notions. A complete-bipartite-neutrosophic graph is related to previous result and it's studied to apply the definitions on it, too.

Example 2.27. There is one section for clarifications. In Figure (8), a complete-bipartite-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

- (i) For given two neutrosophic vertices, n and n', there is either one path with length one or one path with length two between them;
- (ii) in the setting of complete-bipartite, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed;
- (iii) all total-resolving sets corresponded to total-resolving number are

  $$\text{Not Existed.}$$

  For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(CMC_{\sigma_1,\sigma_2})$ = Not Existed; and corresponded to total-resolving sets are

Not Existed;

(iv) there's no total-resolving set

Not Existed,

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(v) there's no total-resolving set

Not Existed,

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(vi) all total-resolving sets corresponded to total-resolving number are

Not Existed.

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(CMC_{\sigma_1,\sigma_2})$ = Not Existed; and corresponded to total-resolving sets are

Not Existed.

Proposition 2.28. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-t-partite-neutrosophic graph where $t \geq 3$. Then*

$$\mathcal{T}(CMC_{\sigma_1,\sigma_2,\cdots,\sigma_t}) = \textit{Not Existed.}$$

Proof. Suppose $CMC_{\sigma_1,\sigma_2,\cdots,\sigma_t} : (V, E, \sigma, \mu)$ is a complete-t-partite-neutrosophic graph. Every vertex in a part is total-resolved by another vertex in another part. In the setting of complete-t-partite, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed. All total-resolving sets corresponded to total-resolving number are

Not Existed.

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a

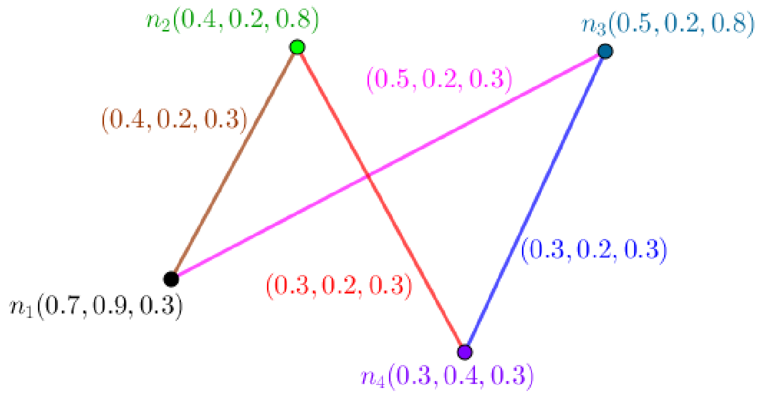

Figure 8. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by

$$\mathcal{T}(CMC_{\sigma_1,\sigma_2,\cdots,\sigma_t}) = \text{Not Existed};$$

and corresponded to total-resolving sets are

$$\text{Not Existed.}$$

Thus

$$\mathcal{T}(CMC_{\sigma_1,\sigma_2,\cdots,\sigma_t}) = \text{Not Existed.}$$

□

Proposition 2.29. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-t-partite-neutrosophic graph. Then total-resolving number isn't equal to resolving number.*

Proposition 2.30. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-t-partite-neutrosophic graph. Then the number of total-resolving sets is Not Existed.*

Proposition 2.31. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-t-partite-neutrosophic graph. Then the number of total-resolving sets corresponded to total-resolving number is Not Existed.*

The clarifications about results are in progress as follows. A complete-t-partite-neutrosophic graph is related to previous result and it's studied to apply the definitions on it. To make it more clear, next part gives one special case to apply definitions and results on it. Some items are devised to make more sense about new notions. A complete-t-partite-neutrosophic graph is related to previous result and it's studied to apply the definitions on it, too.

Example 2.32. There is one section for clarifications. In Figure (9), a complete-t-partite-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(*i*) For given two neutrosophic vertices, n and n', there is either one path with length one or one path with length two between them;

(ii) in the setting of complete-t-partite, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed;

(iii) all total-resolving sets corresponded to total-resolving number are

Not Existed.

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(CMC_{\sigma_1,\sigma_2,\cdots,\sigma_t}) =$ Not Existed; and corresponded to total-resolving sets are

Not Existed;

(iv) there's no total-resolving set

Not Existed,

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(v) there's no total-resolving set

Not Existed,

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(vi) all total-resolving sets corresponded to total-resolving number are

Not Existed.

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(CMC_{\sigma_1,\sigma_2,\cdots,\sigma_t}) =$ Not Existed; and corresponded to total-resolving sets are

Not Existed.

Proposition 2.33. *Let $NTG : (V, E, \sigma, \mu)$ be a wheel-neutrosophic graph. Then*

$$\mathcal{T}(WHL_{1,\sigma_2}) = \mathcal{O}(WHL_{1,\sigma_2}) - 3.$$

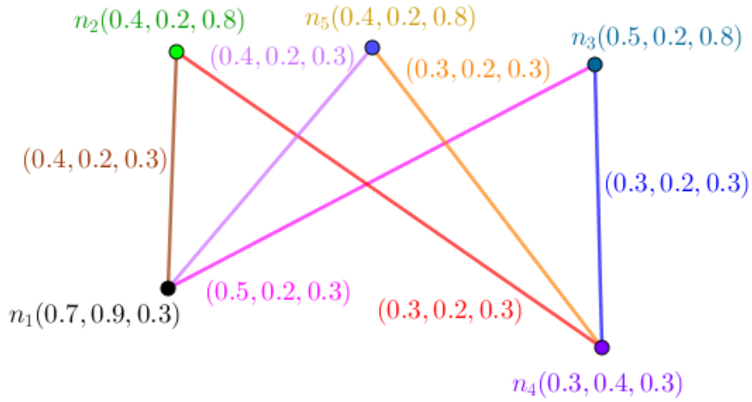

Figure 9. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

Proof. Suppose $WHL_{1,\sigma_2} : (V, E, \sigma, \mu)$ is a wheel-neutrosophic graph. The argument is elementary. All vertices of a cycle

$$n_1, n_2, n_3, \cdots, n_{\mathcal{O}(WHL_{1,\sigma_2})-3}, n_{\mathcal{O}(WHL_{1,\sigma_2})-2}, n_{\mathcal{O}(WHL_{1,\sigma_2})-1}, n_1$$

join to one vertex, $c = n_{\mathcal{O}(WHL_{1,\sigma_2})}$. For every vertices, the minimum number of edges amid them is either one or two because of center and the notion of neighbors. In the setting of wheel, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve since a vertex couldn't resolve itself. Thus all vertices excluding two neighbors and center are necessary in S. All total-resolving sets corresponded to total-resolving number are

$$\{n_1, n_2, n_3, \cdots, n_{\mathcal{O}(WHL_{1,\sigma_2})-5}, n_{\mathcal{O}(WHL_{1,\sigma_2})-4}, n_{\mathcal{O}(WHL_{1,\sigma_2})-3}\},$$
$$\{n_2, n_3, n_4, \cdots, n_{\mathcal{O}(WHL_{1,\sigma_2})-4}, n_{\mathcal{O}(WHL_{1,\sigma_2})-3}, n_{\mathcal{O}(WHL_{1,\sigma_2})-2}\},$$
$$\{n_3, n_4, n_5, \cdots, n_{\mathcal{O}(WHL_{1,\sigma_2})-3}, n_{\mathcal{O}(WHL_{1,\sigma_2})-2}, n_{\mathcal{O}(WHL_{1,\sigma_2})-1}\},$$
$$\ldots.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by

$$\mathcal{T}(WHL_{1,\sigma_2}) = \mathcal{O}(WHL_{1,\sigma_2}) - 3$$

and corresponded to total-resolving sets are

$$\{n_1, n_2, n_3, \cdots, n_{\mathcal{O}(WHL_{1,\sigma_2})-5}, n_{\mathcal{O}(WHL_{1,\sigma_2})-4}, n_{\mathcal{O}(WHL_{1,\sigma_2})-3}\},$$
$$\{n_2, n_3, n_4, \cdots, n_{\mathcal{O}(WHL_{1,\sigma_2})-4}, n_{\mathcal{O}(WHL_{1,\sigma_2})-3}, n_{\mathcal{O}(WHL_{1,\sigma_2})-2}\},$$
$$\{n_3, n_4, n_5, \cdots, n_{\mathcal{O}(WHL_{1,\sigma_2})-3}, n_{\mathcal{O}(WHL_{1,\sigma_2})-2}, n_{\mathcal{O}(WHL_{1,\sigma_2})-1}\},$$
$$\ldots.$$

Thus

$$\mathcal{T}(WHL_{1,\sigma_2}) = \mathcal{O}(WHL_{1,\sigma_2}) - 3.$$

□

Proposition 2.34. *Let $NTG : (V, E, \sigma, \mu)$ be a wheel-neutrosophic graph. Then total-resolving number isn't equal to resolving number.*

Proposition 2.35. *Let $NTG : (V, E, \sigma, \mu)$ be a wheel-partite-neutrosophic graph. Then the number of total-resolving sets is $\mathcal{O}(WHL_{1,\sigma_2}) - 1$.*

The clarifications about results are in progress as follows. A wheel-neutrosophic graph is related to previous result and it's studied to apply the definitions on it. To make it more clear, next part gives one special case to apply definitions and results on it. Some items are devised to make more sense about new notions. A wheel-neutrosophic graph is related to previous result and it's studied to apply the definitions on it, too.

Example 2.36. There is one section for clarifications. In Figure (10), a wheel-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(i) For given two neutrosophic vertices, s and n_1, there's only one edge between them;

(ii) in the setting of wheel, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve since a vertex couldn't resolve itself. Thus all vertices excluding two neighbors and center are necessary in S;

(iii) all total-resolving sets corresponded to total-resolving number are

$$\{n_2, n_3\}, \{n_3, n_4\}, \{n_4, n_5\}$$
$$\{n_5, n_2\}.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(WHL_{1,\sigma_2}) = 2$ and corresponded to total-resolving sets are

$$\{n_2, n_3\}, \{n_3, n_4\}, \{n_4, n_5\}$$
$$\{n_5, n_2\}.$$

(iv) there are twenty total-resolving sets

$$\{n_2, n_3\}, \{n_3, n_4\}, \{n_4, n_5\}$$
$$\{n_2, n_3, n_1\}, \{n_2, n_3, n_4\}, \{n_2, n_3, n_5\},$$
$$\{n_2, n_3, n_1, n_4\}, \{n_2, n_3, n_1, n_5\}, \{n_2, n_3, n_4, n_5\},$$
$$\{n_2, n_3, n_1, n_4, n_5\}, \{n_3, n_4, n_1\}, \{n_3, n_4, n_5\},$$
$$\{n_3, n_4, n_1, n_5\}, \{n_4, n_5, n_1\}, \{n_4, n_5, n_2\},$$
$$\{n_4, n_5, n_1, n_2\}, \{n_5, n_2\}, \{n_5, n_2, n_1\},$$
$$\{n_5, n_2, n_4\}, \{n_5, n_2, n_1, n_4\},$$

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(v) there are four total-resolving sets

$$\{n_2, n_3\}, \{n_3, n_4\}, \{n_4, n_5\}$$
$$\{n_5, n_2\}.$$

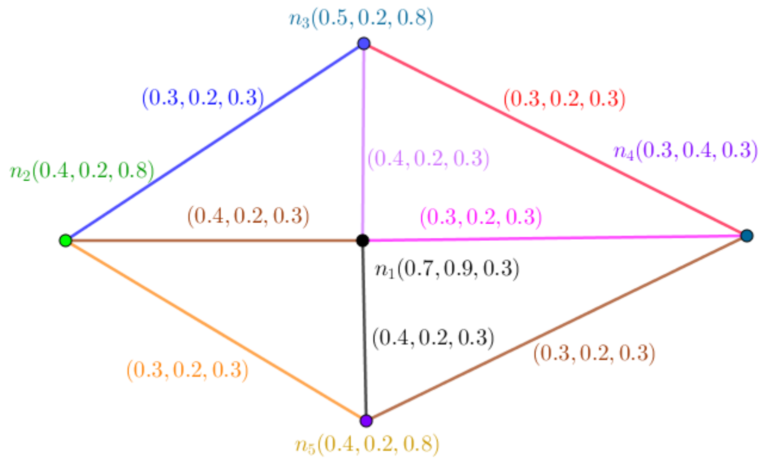

Figure 10. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(vi) all total-resolving sets corresponded to total-resolving number are

$$\{n_2, n_3\}, \{n_3, n_4\}, \{n_4, n_5\}$$
$$\{n_5, n_2\}.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(WHL_{1,\sigma_2}) = 2.4$ and corresponded to total-resolving sets are

$$\{n_4, n_5\}.$$

3 Setting of neutrosophic total-resolving number

In this section, I provide some results in the setting of neutrosophic total-resolving number. Some classes of neutrosophic graphs are chosen. Complete-neutrosophic graph, path-neutrosophic graph, cycle-neutrosophic graph, star-neutrosophic graph, bipartite-neutrosophic graph, t-partite-neutrosophic graph, and wheel-neutrosophic graph, are both of cases of study and classes which the results are about them.

Proposition 3.1. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-neutrosophic graph. Then*

$$\mathcal{T}_n(CMT_\sigma) = \text{Not Existed.}$$

Proof. Suppose $CMT_\sigma : (V, E, \sigma, \mu)$ is a complete-neutrosophic graph. By $CMT_\sigma : (V, E, \sigma, \mu)$ is a complete-neutrosophic graph, all vertices are connected to each other. So there's one edge between two vertices. In the setting of complete, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed. All total-resolving sets corresponded to total-resolving number are

$$\text{Not Existed.}$$

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by

$$\mathcal{T}_n(CMT_\sigma) = \text{Not Existed.}$$

and corresponded to total-resolving sets are

$$\text{Not Existed.}$$

Thus

$$\mathcal{T}_n(CMT_\sigma) = \text{Not Existed.}$$

□

Proposition 3.2. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-neutrosophic graph. Then total-resolving number isn't equal to resolving number.*

Proposition 3.3. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-neutrosophic graph. Then the number of total-resolving sets corresponded to total-resolving number is Not Existed.*

Proposition 3.4. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-neutrosophic graph. Then the number of total-resolving sets is Not Existed.*

The clarifications about results are in progress as follows. A complete-neutrosophic graph is related to previous result and it's studied to apply the definitions on it. To make it more clear, next part gives one special case to apply definitions and results on it. Some items are devised to make more sense about new notions. A complete-neutrosophic graph is related to previous result and it's studied to apply the definitions on it, too.

Example 3.5. In Figure (11), a complete-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(i) For given neutrosophic vertex, s, there's an edge with other vertices;

(ii) in the setting of complete, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed;

(iii) all total-resolving sets corresponded to total-resolving number are

$$\text{Not Existed.}$$

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of

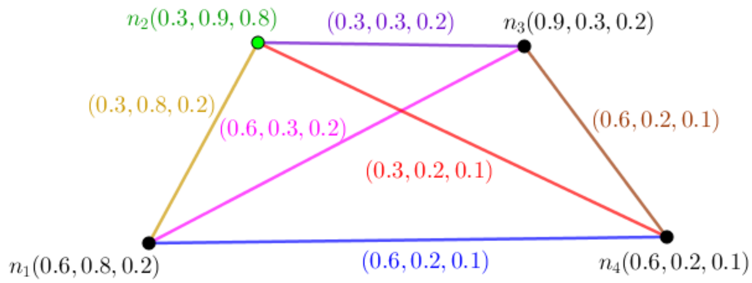

Figure 11. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(CMT_\sigma) =$ Not Existed; and corresponded to total-resolving sets are

$$\text{Not Existed;}$$

(iv) there's no total-resolving set

$$\text{Not Existed,}$$

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(v) there's no total-resolving set

$$\text{Not Existed,}$$

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(vi) all total-resolving sets corresponded to total-resolving number are

$$\text{Not Existed.}$$

For given vertices n and n' if $d(s, n) \neq d(s, n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(CMT_\sigma) =$ Not Existed; and corresponded to total-resolving sets are

$$\text{Not Existed.}$$

Another class of neutrosophic graphs is addressed to path-neutrosophic graph where $d \geq 0$.

Proposition 3.6. *Let $NTG : (V, E, \sigma, \mu)$ be a path-neutrosophic graph where $d \geq 0$. Then*

$$\mathcal{T}_n(PTH) = \min_{x,y \in V} \sum_{i=1}^{3} (\sigma_i(x) + \sigma_i(y)).$$

Proof. Suppose $PTH : (V, E, \sigma, \mu)$ is a path-neutrosophic graph. Let $n_1, n_2, \ldots, n_{\mathcal{O}(PTH)}$ be a path-neutrosophic graph. For given two vertices, x and y, there's one path from x to y. In the setting of path, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve since a vertex couldn't resolve itself. Thus two vertices are necessary in S. All total-resolving sets corresponded to total-resolving number are

$$\begin{aligned}
&\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\}, \ldots, \{n_1, n_{\mathcal{O}(PTH)-2}\}, \{n_1, n_{\mathcal{O}(PTH)-1}\}, \{n_1, n_{\mathcal{O}(PTH)}\},\\
&\{n_2, n_3\}, \{n_2, n_4\}, \{n_2, n_5\}, \ldots, \{n_2, n_{\mathcal{O}(PTH)-2}\}, \{n_2, n_{\mathcal{O}(PTH)-1}\}, \{n_2, n_{\mathcal{O}(PTH)}\},\\
&\{n_3, n_4\}, \{n_2, n_5\}, \{n_2, n_6\}, \ldots, \{n_2, n_{\mathcal{O}(PTH)-2}\}, \{n_2, n_{\mathcal{O}(PTH)-1}\}, \{n_2, n_{\mathcal{O}(PTH)}\},\\
&\ldots,\\
&\{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)-2}\}, \{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)-1}\}, \{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)}\},\\
&\{n_{\mathcal{O}(PTH)-2}, n_{\mathcal{O}(PTH)-1}\}, \{n_{\mathcal{O}(PTH)-2}, n_{\mathcal{O}(PTH)}\},\\
&\{n_{\mathcal{O}(PTH)-1}, n_{\mathcal{O}(PTH)}\}
\end{aligned}$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by

$$\mathcal{T}_n(PTH) = \min_{x,y \in V} \sum_{i=1}^{3} (\sigma_i(x) + \sigma_i(y))$$

and corresponded to total-resolving sets are

$$\begin{aligned}
&\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\}, \ldots, \{n_1, n_{\mathcal{O}(PTH)-2}\}, \{n_1, n_{\mathcal{O}(PTH)-1}\}, \{n_1, n_{\mathcal{O}(PTH)}\},\\
&\{n_2, n_3\}, \{n_2, n_4\}, \{n_2, n_5\}, \ldots, \{n_2, n_{\mathcal{O}(PTH)-2}\}, \{n_2, n_{\mathcal{O}(PTH)-1}\}, \{n_2, n_{\mathcal{O}(PTH)}\},\\
&\{n_3, n_4\}, \{n_2, n_5\}, \{n_2, n_6\}, \ldots, \{n_2, n_{\mathcal{O}(PTH)-2}\}, \{n_2, n_{\mathcal{O}(PTH)-1}\}, \{n_2, n_{\mathcal{O}(PTH)}\},\\
&\ldots,\\
&\{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)-2}\}, \{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)-1}\}, \{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)}\},\\
&\{n_{\mathcal{O}(PTH)-2}, n_{\mathcal{O}(PTH)-1}\}, \{n_{\mathcal{O}(PTH)-2}, n_{\mathcal{O}(PTH)}\},\\
&\{n_{\mathcal{O}(PTH)-1}, n_{\mathcal{O}(PTH)}\}
\end{aligned}$$

Thus

$$\mathcal{T}_n(PTH) = \min_{x,y \in V} \sum_{i=1}^{3} (\sigma_i(x) + \sigma_i(y)).$$

□

Proposition 3.7. *Let $NTG : (V, E, \sigma, \mu)$ be a path-neutrosophic graph where $d \geq 0$. Then total-resolving number isn't equal to resolving number.*

Proposition 3.8. *Let $NTG : (V, E, \sigma, \mu)$ be a path-neutrosophic graph where $d \geq 0$. Then the number of total-resolving sets corresponded to total-resolving number is equal to $\mathcal{O}(PTH)$ choose two.*

Proposition 3.9. *Let $NTG : (V, E, \sigma, \mu)$ be a path-neutrosophic graph where $d \geq 0$. Then the number of total-resolving sets is equal to $2^{\mathcal{O}(PTH)} - \mathcal{O}(PTH) - 1$.*

Example 3.10. There are two sections for clarifications where $d \geq 0$.

(a) In Figure (12), an odd-path-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(i) For given neutrosophic vertex, s, there's only one path with other vertices;

(ii) in the setting of path, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve since a vertex couldn't resolve itself. Thus two vertices are necessary in S;

(iii) all total-resolving sets corresponded to total-resolving number are

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(PTH) = 2$ and corresponded to total-resolving sets are

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\};$$

(iv) there are twenty-six total-resolving sets

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}, \{n_1, n_2, n_3\}, \{n_1, n_2, n_4\},$$
$$\{n_1, n_2, n_5\}, \{n_1, n_3, n_4\}, \{n_1, n_3, n_5\},$$
$$\{n_1, n_4, n_5\}, \{n_2, n_3, n_4\}, \{n_2, n_3, n_5\},$$
$$\{n_2, n_4, n_5\}, \{n_3, n_4, n_5\}, \{n_1, n_2, n_3, n_4\},$$
$$\{n_1, n_2, n_3, n_5\}, \{n_1, n_2, n_4, n_5\}, \{n_1, n_3, n_4, n_5\},$$
$$\{n_2, n_3, n_4, n_5\}, \{n_1, n_2, n_3, n_4, n_5\},$$

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(v) there are ten total-resolving sets

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\},$$

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(vi) all total-resolving sets corresponded to total-resolving number are

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(PTH) = 1.9$ and corresponded to total-resolving sets are

$$\{n_3, n_4\}, \{n_3, n_5\}.$$

(b) In Figure (13), an even-path-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(i) For given neutrosophic vertex, s, there's only one path with other vertices;

(ii) in the setting of path, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve since a vertex couldn't resolve itself. Thus two vertices are necessary in S;

(iii) all total-resolving sets corresponded to total-resolving number are

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}, \ldots.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(PTH) = 2$ and corresponded to total-resolving sets are

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}, \ldots;$$

(*iv*) there are fifty-seven total-resolving sets

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}, \{n_1, n_2, n_3\}, \{n_1, n_2, n_4\},$$
$$\{n_1, n_2, n_5\}, \{n_1, n_3, n_4\}, \{n_1, n_3, n_5\},$$
$$\{n_1, n_4, n_5\}, \{n_2, n_3, n_4\}, \{n_2, n_3, n_5\},$$
$$\{n_2, n_4, n_5\}, \{n_3, n_4, n_5\}, \{n_1, n_2, n_3, n_4\},$$
$$\{n_1, n_2, n_3, n_5\}, \{n_1, n_2, n_4, n_5\}, \{n_1, n_3, n_4, n_5\},$$
$$\{n_2, n_3, n_4, n_5\}, \{n_1, n_2, n_3, n_4, n_5\}, \ldots$$

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(*v*) there are fifteen total-resolving sets

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}, \ldots,$$

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(*vi*) all total-resolving sets corresponded to total-resolving number are

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}, \ldots.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(PTH) = 1.8$ and corresponded to total-resolving sets are

$$\{n_2, n_3\}.$$

Proposition 3.11. *Let* $NTG : (V, E, \sigma, \mu)$ *be a cycle-neutrosophic graph where* $\mathcal{O}(CYC) \geq 3$ *and* $d \geq 0$. *Then*

$$\mathcal{T}(CYC) = \min_{x,y \in V,\ x,y \ aren't\ antipodal.} \sum_{i=1}^{3} (\sigma_i(x) + \sigma_i(y)).$$

Proof. Suppose $CYC : (V, E, \sigma, \mu)$ is a cycle-neutrosophic graph. For given two vertices, x and y, there are only two paths with distinct edges from x to y. Let

$$x_1, x_2, \cdots, x_{\mathcal{O}(CYC)-1}, x_{\mathcal{O}(CYC)}, x_1$$

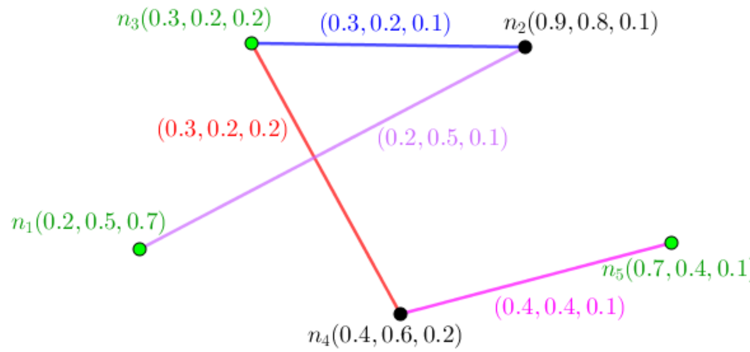

Figure 12. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

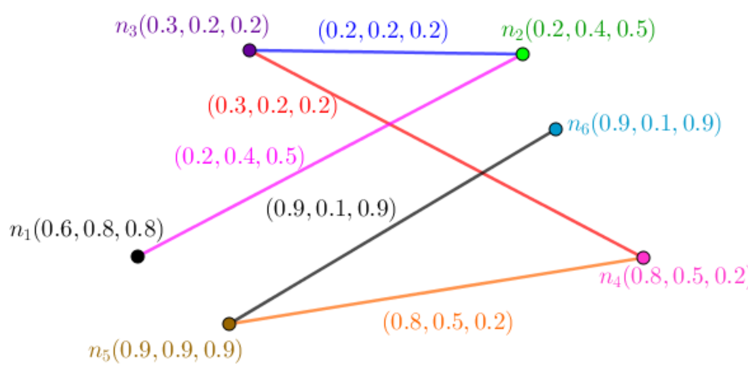

Figure 13. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

be a cycle-neutrosophic graph $CYC : (V, E, \sigma, \mu)$. In the setting of cycle, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve since a vertex couldn't resolve itself. Thus two [minus antipodal pairs] vertices are necessary in S. All total-resolving sets corresponded to total-resolving number are [minus antipodal pairs]

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\}, \ldots, \{n_1, n_{\mathcal{O}(PTH)-2}\}, \{n_1, n_{\mathcal{O}(PTH)-1}\}, \{n_1, n_{\mathcal{O}(PTH)}\},$$
$$\{n_2, n_3\}, \{n_2, n_4\}, \{n_2, n_5\}, \ldots, \{n_2, n_{\mathcal{O}(PTH)-2}\}, \{n_2, n_{\mathcal{O}(PTH)-1}\}, \{n_2, n_{\mathcal{O}(PTH)}\},$$
$$\{n_3, n_4\}, \{n_2, n_5\}, \{n_2, n_6\}, \ldots, \{n_2, n_{\mathcal{O}(PTH)-2}\}, \{n_2, n_{\mathcal{O}(PTH)-1}\}, \{n_2, n_{\mathcal{O}(PTH)}\},$$
$$\ldots,$$
$$\{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)-2}\}, \{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)-1}\}, \{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)}\},$$
$$\{n_{\mathcal{O}(PTH)-2}, n_{\mathcal{O}(PTH)-1}\}, \{n_{\mathcal{O}(PTH)-2}, n_{\mathcal{O}(PTH)}\},$$
$$\{n_{\mathcal{O}(PTH)-1}, n_{\mathcal{O}(PTH)}\}$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(CYC) = 2$ and corresponded to total-resolving sets are [minus antipodal pairs]

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\}, \ldots, \{n_1, n_{\mathcal{O}(PTH)-2}\}, \{n_1, n_{\mathcal{O}(PTH)-1}\}, \{n_1, n_{\mathcal{O}(PTH)}\},$$
$$\{n_2, n_3\}, \{n_2, n_4\}, \{n_2, n_5\}, \ldots, \{n_2, n_{\mathcal{O}(PTH)-2}\}, \{n_2, n_{\mathcal{O}(PTH)-1}\}, \{n_2, n_{\mathcal{O}(PTH)}\},$$
$$\{n_3, n_4\}, \{n_2, n_5\}, \{n_2, n_6\}, \ldots, \{n_2, n_{\mathcal{O}(PTH)-2}\}, \{n_2, n_{\mathcal{O}(PTH)-1}\}, \{n_2, n_{\mathcal{O}(PTH)}\},$$
$$\ldots,$$
$$\{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)-2}\}, \{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)-1}\}, \{n_{\mathcal{O}(PTH)-3}, n_{\mathcal{O}(PTH)}\},$$
$$\{n_{\mathcal{O}(PTH)-2}, n_{\mathcal{O}(PTH)-1}\}, \{n_{\mathcal{O}(PTH)-2}, n_{\mathcal{O}(PTH)}\},$$
$$\{n_{\mathcal{O}(PTH)-1}, n_{\mathcal{O}(PTH)}\}$$

Thus

$$\mathcal{T}(CYC) = 2.$$

□

Proposition 3.12. *Let $NTG : (V, E, \sigma, \mu)$ be a cycle-neutrosophic graph where $d \geq 0$. Then total-resolving number is equal to resolving number.*

Antipodal vertices in even-cycle-neutrosophic graph differ the number in cycle-neutrosophic graph.

Proposition 3.13. *Let $NTG : (V, E, \sigma, \mu)$ be an odd-cycle-neutrosophic graph where $d \geq 0$. Then the number of total-resolving sets corresponded to total-resolving number is equal to $\mathcal{O}(CYC)$ choose two.*

Proposition 3.14. *Let $NTG : (V, E, \sigma, \mu)$ be an odd-cycle-neutrosophic graph where $d \geq 0$. Then the number of total-resolving sets is equal to $2^{\mathcal{O}(CYC)} - \mathcal{O}(CYC) - 1$.*

We've to eliminate antipodal vertices due to total-resolving implies complete resolving.

Proposition 3.15. *Let $NTG : (V, E, \sigma, \mu)$ be an even-cycle-neutrosophic graph where $d \geq 0$. Then the number of total-resolving sets corresponded to total-resolving number is equal to $\mathcal{O}(CYC)$ choose two after that minus $\mathcal{O}(CYC)$.*

Proposition 3.16. *Let $NTG : (V, E, \sigma, \mu)$ be an even-cycle-neutrosophic graph where $d \geq 0$. Then the number of total-resolving sets is equal to $2^{\mathcal{O}(CYC)} - 2\mathcal{O}(CYC) - 1$.*

The clarifications about results are in progress as follows. An odd-cycle-neutrosophic graph is related to previous result and it's studied to apply the definitions on it. To make it more clear, next part gives one special case to apply definitions and results on it. Some items are devised to make more sense about new notions. An even-cycle-neutrosophic graph is related to previous result and it's studied to apply the definitions on it, too.

Example 3.17. There are two sections for clarifications.

(a) In Figure (14), an even-cycle-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(i) For given neutrosophic vertex, s, there are only two paths with other vertices;

(ii) in the setting of cycle, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve since a vertex couldn't resolve itself. Thus two [minus antipodal pairs] vertices are necessary in S. Antipodal pairs are

$$\{n_1, n_4\}, \{n_2, n_5\}, \{n_3, n_6\};$$

(iii) all total-resolving sets corresponded to total-resolving number are [minus antipodal pairs]

$$\begin{aligned}&\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},\\&\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},\\&\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},\\&\{n_4, n_5\}, \ldots.\end{aligned}$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(CYC) = 2$ and corresponded to total-resolving sets are [minus antipodal pairs]

$$\begin{aligned}&\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},\\&\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},\\&\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},\\&\{n_4, n_5\}, \ldots;\end{aligned}$$

(iv) there are fifty-seven [minus antipodal pairs] total-resolving sets

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}, \{n_1, n_2, n_3\}, \{n_1, n_2, n_4\},$$
$$\{n_1, n_2, n_5\}, \{n_1, n_3, n_4\}, \{n_1, n_3, n_5\},$$
$$\{n_1, n_4, n_5\}, \{n_2, n_3, n_4\}, \{n_2, n_3, n_5\},$$
$$\{n_2, n_4, n_5\}, \{n_3, n_4, n_5\}, \{n_1, n_2, n_3, n_4\},$$
$$\{n_1, n_2, n_3, n_5\}, \{n_1, n_2, n_4, n_5\}, \{n_1, n_3, n_4, n_5\},$$
$$\{n_2, n_3, n_4, n_5\}, \{n_1, n_2, n_3, n_4, n_5\}, \ldots$$

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(v) there are fifteen [minus antipodal pairs] total-resolving sets

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}, \ldots,$$

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(vi) all total-resolving sets corresponded to total-resolving number are [minus antipodal pairs]

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}, \ldots.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(CYC) = 1.3$ and corresponded to total-resolving sets are

$$\{n_1, n_5\}.$$

(b) In Figure (15), an odd-cycle-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(i) For given neutrosophic vertex, s, there are only two paths with other vertices;

(ii) in the setting of cycle, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve since a vertex couldn't resolve itself. Thus two vertices are necessary in S;

(iii) all total-resolving sets corresponded to total-resolving number are

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(CYC) = 2$ and corresponded to total-resolving sets are

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\};$$

(iv) there are twenty-six total-resolving sets

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}, \{n_1, n_2, n_3\}, \{n_1, n_2, n_4\},$$
$$\{n_1, n_2, n_5\}, \{n_1, n_3, n_4\}, \{n_1, n_3, n_5\},$$
$$\{n_1, n_4, n_5\}, \{n_2, n_3, n_4\}, \{n_2, n_3, n_5\},$$
$$\{n_2, n_4, n_5\}, \{n_3, n_4, n_5\}, \{n_1, n_2, n_3, n_4\},$$
$$\{n_1, n_2, n_3, n_5\}, \{n_1, n_2, n_4, n_5\}, \{n_1, n_3, n_4, n_5\},$$
$$\{n_2, n_3, n_4, n_5\}, \{n_1, n_2, n_3, n_4, n_5\},$$

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(v) there are ten total-resolving sets

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\},$$

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(vi) all total-resolving sets corresponded to total-resolving number are

$$\{n_1, n_2\}, \{n_1, n_3\}, \{n_1, n_4\},$$
$$\{n_1, n_5\}, \{n_2, n_3\}, \{n_2, n_4\},$$
$$\{n_2, n_5\}, \{n_3, n_4\}, \{n_3, n_5\},$$
$$\{n_4, n_5\}.$$

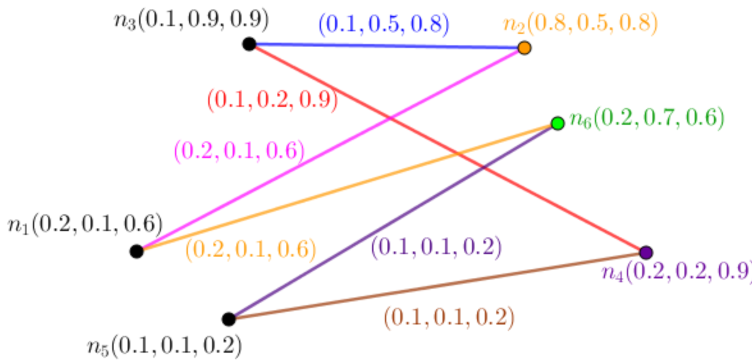

Figure 14. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

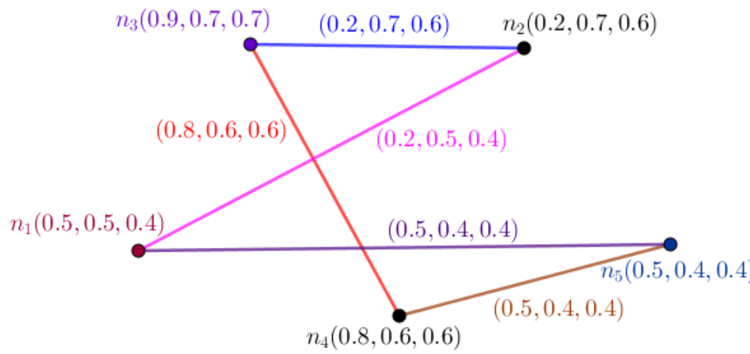

Figure 15. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(CYC) = 2.7$ and corresponded to total-resolving sets are

$$\{n_1, n_5\}.$$

Proposition 3.18. *Let $NTG : (V, E, \sigma, \mu)$ be a star-neutrosophic graph with center c. Then*

$$\mathcal{T}_n(STR_{1,\sigma_2}) = \textit{Not Existed}.$$

Proof. Suppose $STR_{1,\sigma_2} : (V, E, \sigma, \mu)$ is a star-neutrosophic graph. An edge always has center, c, as one of its endpoints. All paths have one as their lengths, forever. In the setting of star, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed. All total-resolving sets corresponded to total-resolving number are

$$\text{Not Existed.}$$

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by

$$\mathcal{T}_n(STR_{1,\sigma_2}) = \text{Not Existed}$$

and corresponded to total-resolving sets are

$$\text{Not Existed.}$$

Thus

$$\mathcal{T}_n(STR_{1,\sigma_2}) = \text{Not Existed.}$$

□

Proposition 3.19. *Let $NTG : (V, E, \sigma, \mu)$ be a star-neutrosophic graph. Then total-resolving number isn't equal to resolving number.*

Proposition 3.20. *Let $NTG : (V, E, \sigma, \mu)$ be a star-neutrosophic graph with center c. Then the number of total-resolving sets is Not Existed.*

Proposition 3.21. *Let $NTG : (V, E, \sigma, \mu)$ be a star-neutrosophic graph with center c. Then the number of total-resolving sets corresponded to total-resolving number is Not Existed.*

The clarifications about results are in progress as follows. A star-neutrosophic graph is related to previous result and it's studied to apply the definitions on it. To make it more clear, next part gives one special case to apply definitions and results on it. Some items are devised to make more sense about new notions. A star-neutrosophic graph is related to previous result and it's studied to apply the definitions on it, too.

Example 3.22. There is one section for clarifications. In Figure (16), a star-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

- (i) For given two neutrosophic vertices, s and n_1, there's only one path, precisely one edge between them and there's no path despite them;
- (ii) in the setting of star, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed;
- (iii) all total-resolving sets corresponded to total-resolving number are

  $$\text{Not Existed.}$$

  For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(STR_{1,\sigma_2}) = \text{Not Existed}$; and corresponded to total-resolving sets are

  $$\text{Not Existed;}$$

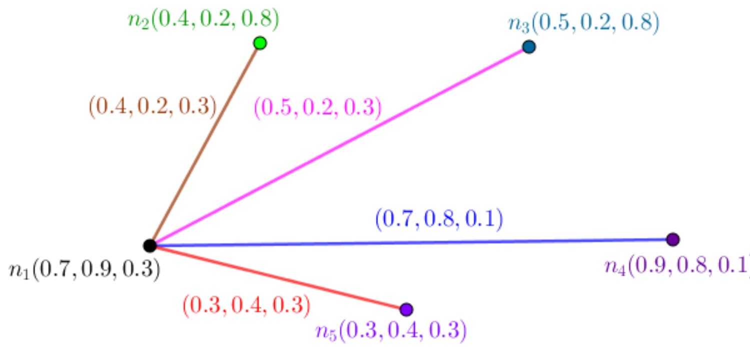

Figure 16. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

(iv) there's no total-resolving set

$$\text{Not Existed},$$

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(v) there's no total-resolving set

$$\text{Not Existed},$$

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(vi) all total-resolving sets corresponded to total-resolving number are

$$\text{Not Existed}.$$

For given vertices n and n' if $d(s, n) \neq d(s, n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(STR_{1,\sigma_2}) = \text{Not Existed}$; and corresponded to total-resolving sets are

$$\text{Not Existed}.$$

Proposition 3.23. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-bipartite-neutrosophic graph which isn't star-neutrosophic graph which means $|V_1|, |V_2| \geq 2$. Then*

$$\mathcal{T}_n(CMC_{\sigma_1,\sigma_2}) = \textit{Not Existed}.$$

Proof. Suppose $CMC_{\sigma_1,\sigma_2} : (V, E, \sigma, \mu)$ is a complete-bipartite-neutrosophic graph. Every vertex in a part and another vertex in opposite part total-resolves any given vertex. Assume same parity for same partition of vertex set which means V_1 has odd indexes and V_2 has even indexes. In the setting of complete-bipartite, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed. All total-resolving sets corresponded to total-resolving number are

$$\text{Not Existed.}$$

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by

$$\mathcal{T}_n(CMC_{\sigma_1,\sigma_2}) = \text{Not Existed}$$

and corresponded to total-resolving sets are

$$\text{Not Existed.}$$

Thus

$$\mathcal{T}_n(CMC_{\sigma_1,\sigma_2}) = \text{Not Existed.}$$

□

Proposition 3.24. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-bipartite-neutrosophic graph. Then total-resolving number isn't equal to resolving number.*

Proposition 3.25. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-bipartite-neutrosophic graph. Then the number of total-resolving sets is Not Existed.*

Proposition 3.26. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-bipartite-neutrosophic graph. Then the number of total-resolving sets corresponded to total-resolving number is Not Existed.*

The clarifications about results are in progress as follows. A complete-bipartite-neutrosophic graph is related to previous result and it's studied to apply the definitions on it. To make it more clear, next part gives one special case to apply definitions and results on it. Some items are devised to make more senses about new notions. A complete-bipartite-neutrosophic graph is related to previous result and it's studied to apply the definitions on it, too.

Example 3.27. There is one section for clarifications. In Figure (17), a complete-bipartite-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(i) For given two neutrosophic vertices, n and n', there is either one path with length one or one path with length two between them;

(ii) in the setting of complete-bipartite, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed;

(*iii*) all total-resolving sets corresponded to total-resolving number are

$$\text{Not Existed.}$$

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(CMC_{\sigma_1,\sigma_2}) =$ Not Existed; and corresponded to total-resolving sets are

$$\text{Not Existed;}$$

(*iv*) there's no total-resolving set

$$\text{Not Existed,}$$

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(*v*) there's no total-resolving set

$$\text{Not Existed,}$$

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(*vi*) all total-resolving sets corresponded to total-resolving number are

$$\text{Not Existed.}$$

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(CMC_{\sigma_1,\sigma_2}) =$ Not Existed; and corresponded to total-resolving sets are

$$\text{Not Existed.}$$

Proposition 3.28. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-t-partite-neutrosophic graph where $t \geq 3$. Then*

$$\mathcal{T}_n(CMC_{\sigma_1,\sigma_2,\cdots,\sigma_t}) = \textit{Not Existed}.$$

Proof. Suppose $CMC_{\sigma_1,\sigma_2,\cdots,\sigma_t} : (V, E, \sigma, \mu)$ is a complete-t-partite-neutrosophic graph. Every vertex in a part is total-resolved by another vertex in another part. In the setting of complete-t-partite, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and

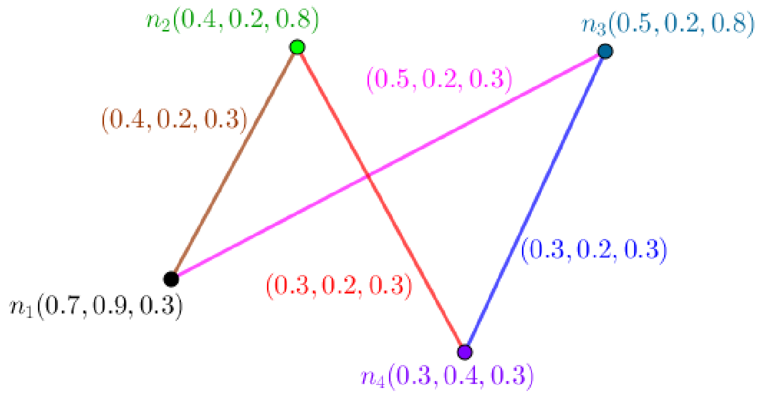

Figure 17. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

by Proposition (1.10), total-resolving set and total-resolving number are Not Existed. All total-resolving sets corresponded to total-resolving number are

$$\text{Not Existed.}$$

For given vertices n and n' if $d(s, n) \neq d(s, n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by

$$\mathcal{T}_n(CMC_{\sigma_1, \sigma_2, \cdots, \sigma_t}) = \text{Not Existed}$$

and corresponded to total-resolving sets are

$$\text{Not Existed.}$$

Thus

$$\mathcal{T}_n(CMC_{\sigma_1, \sigma_2, \cdots, \sigma_t}) = \text{Not Existed.}$$

□

Proposition 3.29. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-t-partite-neutrosophic graph. Then total-resolving number isn't equal to resolving number.*

Proposition 3.30. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-t-partite-neutrosophic graph. Then the number of total-resolving sets is Not Existed.*

Proposition 3.31. *Let $NTG : (V, E, \sigma, \mu)$ be a complete-t-partite-neutrosophic graph. Then the number of total-resolving sets corresponded to total-resolving number is Not Existed.*

The clarifications about results are in progress as follows. A complete-t-partite-neutrosophic graph is related to previous result and it's studied to apply the definitions on it. To make it more clear, next part gives one special case to apply definitions and results on it. Some items are devised to make more sense about new notions. A complete-t-partite-neutrosophic graph is related to previous result and it's studied to apply the definitions on it, too.

Example 3.32. There is one section for clarifications. In Figure (18), a complete-t-partite-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(i) For given two neutrosophic vertices, n and n', there is either one path with length one or one path with length two between them;

(ii) in the setting of complete-t-partite, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed;

(iii) all total-resolving sets corresponded to total-resolving number are

Not Existed.

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(CMC_{\sigma_1,\sigma_2,\cdots,\sigma_t})$ = Not Existed; and corresponded to total-resolving sets are

Not Existed;

(iv) there's no total-resolving set

Not Existed,

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(v) there's no total-resolving set

Not Existed,

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(vi) all total-resolving sets corresponded to total-resolving number are

Not Existed.

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(CMC_{\sigma_1,\sigma_2,\cdots,\sigma_t})$ = Not Existed; and corresponded to total-resolving sets are

Not Existed.

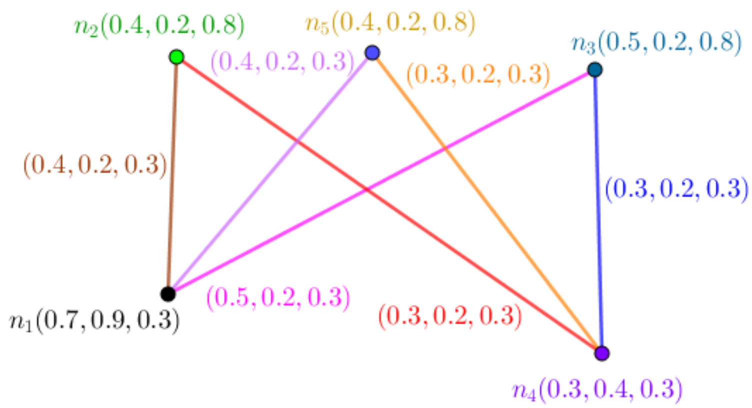

Figure 18. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

Proposition 3.33. *Let $NTG : (V, E, \sigma, \mu)$ be a wheel-neutrosophic graph. Then*

$$\mathcal{T}_n(WHL_{1,\sigma_2}) = \mathcal{O}_n(WHL_{1,\sigma_2}) - \max_{xy \in E} \sum_{i=1}^{3} (\sigma_i(c) + \sigma_i(x) + \sigma_i(y)).$$

Proof. Suppose $WHL_{1,\sigma_2} : (V, E, \sigma, \mu)$ is a wheel-neutrosophic graph. The argument is elementary. All vertices of a cycle

$$n_1, n_2, n_3, \cdots, n_{\mathcal{O}(WHL_{1,\sigma_2})-3}, n_{\mathcal{O}(WHL_{1,\sigma_2})-2}, n_{\mathcal{O}(WHL_{1,\sigma_2})-1}, n_1$$

join to one vertex, $c = n_{\mathcal{O}(WHL_{1,\sigma_2})}$. For every vertices, the minimum number of edges amid them is either one or two because of center and the notion of neighbors. In the setting of wheel, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve since a vertex couldn't resolve itself. Thus all vertices excluding two neighbors and center are necessary in S. All total-resolving sets corresponded to total-resolving number are

$$\{n_1, n_2, n_3, \cdots, n_{\mathcal{O}(WHL_{1,\sigma_2})-5}, n_{\mathcal{O}(WHL_{1,\sigma_2})-4}, n_{\mathcal{O}(WHL_{1,\sigma_2})-3}\},$$
$$\{n_2, n_3, n_4, \cdots, n_{\mathcal{O}(WHL_{1,\sigma_2})-4}, n_{\mathcal{O}(WHL_{1,\sigma_2})-3}, n_{\mathcal{O}(WHL_{1,\sigma_2})-2}\},$$
$$\{n_3, n_4, n_5, \cdots, n_{\mathcal{O}(WHL_{1,\sigma_2})-3}, n_{\mathcal{O}(WHL_{1,\sigma_2})-2}, n_{\mathcal{O}(WHL_{1,\sigma_2})-1}\},$$
$$\ldots.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by

$$\mathcal{T}_n(WHL_{1,\sigma_2}) = \mathcal{O}_n(WHL_{1,\sigma_2}) - \max_{xy \in E} \sum_{i=1}^{3} (\sigma_i(c) + \sigma_i(x) + \sigma_i(y))$$

and corresponded to total-resolving sets are

$$\{n_1, n_2, n_3, \cdots, n_{\mathcal{O}(WHL_{1,\sigma_2})-5}, n_{\mathcal{O}(WHL_{1,\sigma_2})-4}, n_{\mathcal{O}(WHL_{1,\sigma_2})-3}\},$$
$$\{n_2, n_3, n_4, \cdots, n_{\mathcal{O}(WHL_{1,\sigma_2})-4}, n_{\mathcal{O}(WHL_{1,\sigma_2})-3}, n_{\mathcal{O}(WHL_{1,\sigma_2})-2}\},$$
$$\{n_3, n_4, n_5, \cdots, n_{\mathcal{O}(WHL_{1,\sigma_2})-3}, n_{\mathcal{O}(WHL_{1,\sigma_2})-2}, n_{\mathcal{O}(WHL_{1,\sigma_2})-1}\},$$
$$\ldots.$$

Thus

$$\mathcal{T}_n(WHL_{1,\sigma_2}) = \mathcal{O}_n(WHL_{1,\sigma_2}) - \max_{xy\in E} \sum_{i=1}^{3} (\sigma_i(c) + \sigma_i(x) + \sigma_i(y)).$$

□

Proposition 3.34. *Let $NTG : (V, E, \sigma, \mu)$ be a wheel-neutrosophic graph. Then total-resolving number isn't equal to resolving number.*

Proposition 3.35. *Let $NTG : (V, E, \sigma, \mu)$ be a wheel-partite-neutrosophic graph. Then the number of total-resolving sets is $\mathcal{O}(WHL_{1,\sigma_2}) - 1$.*

The clarifications about results are in progress as follows. A wheel-neutrosophic graph is related to previous result and it's studied to apply the definitions on it. To make it more clear, next part gives one special case to apply definitions and results on it. Some items are devised to make more sense about new notions. A wheel-neutrosophic graph is related to previous result and it's studied to apply the definitions on it, too.

Example 3.36. There is one section for clarifications. In Figure (19), a wheel-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(i) For given two neutrosophic vertices, s and n_1, there's only one edge between them;

(ii) in the setting of wheel, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve since a vertex couldn't resolve itself. Thus all vertices excluding two neighbors and center are necessary in S;

(iii) all total-resolving sets corresponded to total-resolving number are

$$\{n_2, n_3\}, \{n_3, n_4\}, \{n_4, n_5\}$$
$$\{n_5, n_2\}.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(WHL_{1,\sigma_2}) = 2$ and corresponded to total-resolving sets are

$$\{n_2, n_3\}, \{n_3, n_4\}, \{n_4, n_5\}$$
$$\{n_5, n_2\}.$$

(iv) there are twenty total-resolving sets

$$\{n_2, n_3\}, \{n_3, n_4\}, \{n_4, n_5\}$$
$$\{n_2, n_3, n_1\}, \{n_2, n_3, n_4\}, \{n_2, n_3, n_5\},$$
$$\{n_2, n_3, n_1, n_4\}, \{n_2, n_3, n_1, n_5\}, \{n_2, n_3, n_4, n_5\},$$
$$\{n_2, n_3, n_1, n_4, n_5\}, \{n_3, n_4, n_1\}, \{n_3, n_4, n_5\},$$
$$\{n_3, n_4, n_1, n_5\}, \{n_4, n_5, n_1\}, \{n_4, n_5, n_2\},$$
$$\{n_4, n_5, n_1, n_2\}, \{n_5, n_2\}, \{n_5, n_2, n_1\},$$
$$\{n_5, n_2, n_4\}, \{n_5, n_2, n_1, n_4\},$$

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

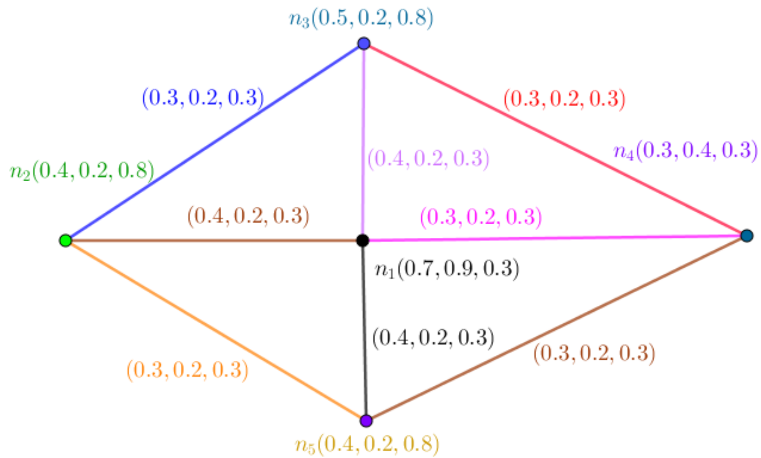

Figure 19. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number.

(v) there are four total-resolving sets

$$\{n_2, n_3\}, \{n_3, n_4\}, \{n_4, n_5\}$$
$$\{n_5, n_2\}.$$

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(vi) all total-resolving sets corresponded to total-resolving number are

$$\{n_2, n_3\}, \{n_3, n_4\}, \{n_4, n_5\}$$
$$\{n_5, n_2\}.$$

For given vertex n, if $sn \in E$, then s total-resolves n. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertex n in V, there's at least a neutrosophic vertex s in S such that s total-resolves n, then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(WHL_{1,\sigma_2}) = 2.4$ and corresponded to total-resolving sets are

$$\{n_4, n_5\}.$$

4 Applications in Time Table and Scheduling

In this section, two applications for time table and scheduling are provided where the models are either complete models which mean complete connections are formed as individual and family of complete models with common neutrosophic vertex set or quasi-complete models which mean quasi-complete connections are formed as individual and family of quasi-complete models with common neutrosophic vertex set.

Designing the programs to achieve some goals is general approach to apply on some issues to function properly. Separation has key role in the context of this style. Separating the duration of work which are consecutive, is the matter and it has importance to avoid mixing up.

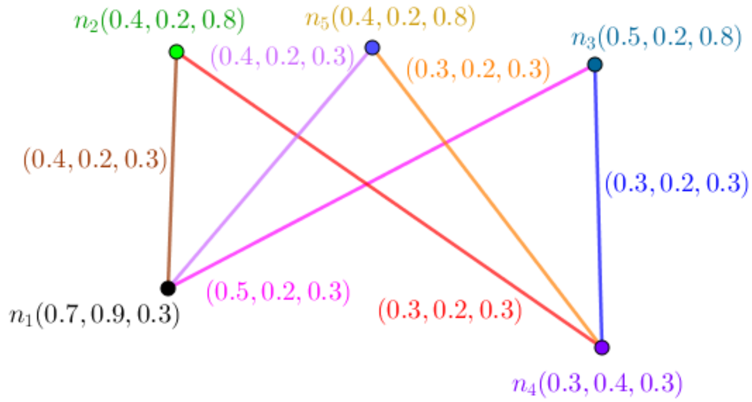

Figure 20. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number

Step 1. (Definition) Time table is an approach to get some attributes to do the work fast and proper. The style of scheduling implies special attention to the tasks which are consecutive.

Step 2. (Issue) Scheduling of program has faced with difficulties to differ amid consecutive sections. Beyond that, sometimes sections are not the same.

Step 3. (Model) The situation is designed as a model. The model uses data to assign every section and to assign to relation amid sections, three numbers belong unit interval to state indeterminacy, possibilities and determinacy. There's one restriction in that, the numbers amid two sections are at least the number of the relations amid them. Table (1), clarifies about the assigned numbers to these situations.

Table 1. Scheduling concerns its Subjects and its Connections as a neutrosophic graph in a Model.

Sections of NTG	n_1	$n_2 \cdots$	n_5
Values	$(0.7, 0.9, 0.3)$	$(0.4, 0.2, 0.8) \cdots$	$(0.4, 0.2, 0.8)$
Connections of NTG	E_1	$E_2 \cdots$	E_6
Values	$(0.4, 0.2, 0.3)$	$(0.5, 0.2, 0.3) \cdots$	$(0.3, 0.2, 0.3)$

4.1 Case 1: Complete-t-partite Model alongside its total-resolving number and its neutrosophic total-resolving number

Step 4. (Solution) The neutrosophic graph alongside its total-resolving number and its neutrosophic total-resolving number as model, propose to use specific number. Every subject has connection with some subjects. Thus the connection is applied as possible and the model demonstrates quasi-full connections as quasi-possible. Using the notion of strong on the connection amid subjects, causes the importance of subject goes in the highest level such that the value amid two consecutive subjects, is determined by those subjects. If the configuration is star, the number is different. Also, it holds for other types such that complete, wheel, path, and cycle. The collection of situations is another application of its total-resolving number and its neutrosophic total-resolving number when the notion of family is applied in the way that all members of family are from same classes of neutrosophic graphs. As follows, there are five subjects which are represented as Figure (20). This model is strong and even more it's quasi-complete. And the study proposes using specific number which is called its total-resolving number and its neutrosophic total-resolving number. There are also some analyses on other numbers in the way that, the clarification is gained about being special number or not. Also, in the last part, there is one neutrosophic number to assign to this model and situation to compare them with same situations to get more precise. Consider Figure (20). In Figure (20), an complete-t-partite-neutrosophic graph is illustrated. Some points are represented in follow-up items as follows.

(i) For given two neutrosophic vertices, n and n', there is either one path with length one or one path with length two between them;

(ii) in the setting of complete-t-partite, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed;

(iii) all total-resolving sets corresponded to total-resolving number are

Not Existed.

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(CMC_{\sigma_1,\sigma_2,\cdots,\sigma_t}) =$ Not Existed; and corresponded to total-resolving sets are

Not Existed;

(iv) there's no total-resolving set

Not Existed,

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(v) there's no total-resolving set

Not Existed,

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(vi) all total-resolving sets corresponded to total-resolving number are

Not Existed.

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's

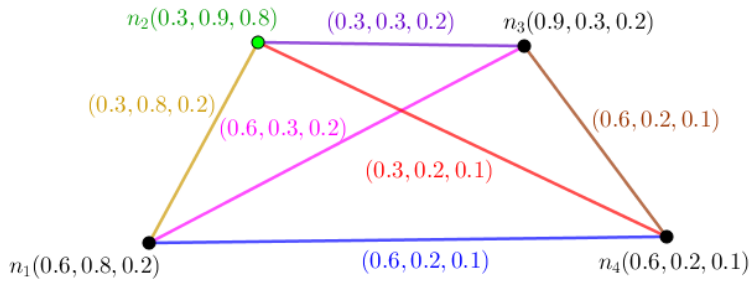

Figure 21. A Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number

at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(CMC_{\sigma_1,\sigma_2,\cdots,\sigma_t})$ = Not Existed; and corresponded to total-resolving sets are

Not Existed.

4.2 Case 2: Complete Model alongside its Neutrosophic Graph in the Viewpoint of its total-resolving number and its neutrosophic total-resolving number

Step 4. (Solution) The neutrosophic graph alongside its total-resolving number and its neutrosophic total-resolving number as model, propose to use specific number. Every subject has connection with every given subject in deemed way. Thus the connection applied as possible and the model demonstrates full connections as possible between parts but with different view where symmetry amid vertices and edges are the matters. Using the notion of strong on the connection amid subjects, causes the importance of subject goes in the highest level such that the value amid two consecutive subjects, is determined by those subjects. If the configuration is complete multipartite, the number is different. Also, it holds for other types such that star, wheel, path, and cycle. The collection of situations is another application of its total-resolving number and its neutrosophic total-resolving number when the notion of family is applied in the way that all members of family are from same classes of neutrosophic graphs. As follows, there are four subjects which are represented in the formation of one model as Figure (21). This model is neutrosophic strong as individual and even more it's complete. And the study proposes using specific number which is called its total-resolving number and its neutrosophic total-resolving number for this model. There are also some analyses on other numbers in the way that, the clarification is gained about being special number or not. Also, in the last part, there is one neutrosophic number to assign to these models as individual. A model as a collection of situations to compare them with another model as a collection of situations to get more precise. Consider Figure (21). There is one section for clarifications.

(i) For given neutrosophic vertex, s, there's an edge with other vertices;

(ii) in the setting of complete, a vertex of resolving set corresponded to resolving number resolves as if it doesn't total-resolve so as resolving is different from total-resolving and by Proposition (1.10), total-resolving set and total-resolving number are Not Existed;

(*iii*) all total-resolving sets corresponded to total-resolving number are

Not Existed.

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum cardinality between all total-resolving sets is called total-resolving number and it's denoted by $\mathcal{T}(CMT_{\sigma}) =$ Not Existed; and corresponded to total-resolving sets are

Not Existed;

(*iv*) there's no total-resolving set

Not Existed,

as if it's possible to have one of them as a set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is characteristic;

(*v*) there's no total-resolving set

Not Existed,

corresponded to total-resolving number as if there's one total-resolving set corresponded to neutrosophic total-resolving number so as neutrosophic cardinality is the determiner;

(*vi*) all total-resolving sets corresponded to total-resolving number are

Not Existed.

For given vertices n and n' if $d(s,n) \neq d(s,n')$, then s total-resolves n and n' where d is minimum number of edges amid two vertices. Let S be a set of neutrosophic vertices [a vertex alongside triple pair of its values is called neutrosophic vertex.]. If for every neutrosophic vertices n and n' in V, there's at least a neutrosophic vertex s in S such that s total-resolves n and n', then the set of neutrosophic vertices, S is called total-resolving set. The minimum neutrosophic cardinality between all total-resolving sets is called neutrosophic total-resolving number and it's denoted by $\mathcal{T}_n(CMT_{\sigma}) =$ Not Existed; and corresponded to total-resolving sets are

Not Existed.

5 Open Problems

In this section, some questions and problems are proposed to give some avenues to pursue this study. The structures of the definitions and results give some ideas to make new settings which are eligible to extend and to create new study.

Notion concerning its total-resolving number and its neutrosophic total-resolving number are defined in neutrosophic graphs. Thus,

Question 5.1. *Is it possible to use other types of its total-resolving number and its neutrosophic total-resolving number?*

Question 5.2. *Are existed some connections amid different types of its total-resolving number and its neutrosophic total-resolving number in neutrosophic graphs?*

Question 5.3. *Is it possible to construct some classes of neutrosophic graphs which have "nice" behavior?*

Question 5.4. *Which mathematical notions do make an independent study to apply these types in neutrosophic graphs?*

Problem 5.5. *Which parameters are related to this parameter?*

Problem 5.6. *Which approaches do work to construct applications to create independent study?*

Problem 5.7. *Which approaches do work to construct definitions which use all definitions and the relations amid them instead of separate definitions to create independent study?*

6 Conclusion and Closing Remarks

In this section, concluding remarks and closing remarks are represented. The drawbacks of this article are illustrated. Some benefits and advantages of this study are highlighted.

This study uses two definitions concerning total-resolving number and neutrosophic total-resolving number arising from total-resolved vertices in neutrosophic graphs assigned to neutrosophic graphs. Minimum number of total-resolved vertices, is a number which is representative based on those vertices. Minimum neutrosophic number of total-resolved vertices corresponded to total-resolving set is called neutrosophic total-resolving number. The connections of vertices which aren't clarified by minimum number of edges amid them differ them from each other and put them in different categories to represent a number which is called total-resolving number and

Table 2. A Brief Overview about Advantages and Limitations of this Study

Advantages	Limitations
1. Total-Resolving Number of Model	1. Connections amid Classes
2. Neutrosophic Total-Resolving Number of Model	
3. Minimal Total-Resolving Sets	2. Study on Families
4. Total-Resolved Vertices amid all Vertices	
5. Acting on All Vertices	3. Same Models in Family

neutrosophic total-resolving number arising from total-resolved vertices in neutrosophic graphs assigned to neutrosophic graphs. Further studies could be about changes in the settings to compare these notions amid different settings of neutrosophic graphs theory. One way is finding some relations amid all definitions of notions to make sensible definitions. In Table (2), some limitations and advantages of this study are pointed out.

References

1. M. Akram, and G. Shahzadi, "*Operations on Single-Valued Neutrosophic Graphs*", Journal of uncertain systems 11 (1) (2017) 1-26.

2. G. Argiroffo et al., "*Polyhedra associated with locating-resolving, open locating-resolving and locating total-resolving sets in graphs*", Discrete Applied Mathematics (2022). (https://doi.org/10.1016/j.dam.2022.06.025.)

3. L. Aronshtam, and H. Ilani, "*Bounds on the average and minimum attendance in preference-based activity scheduling*", Discrete Applied Mathematics 306 (2022) 114-119. (https://doi.org/10.1016/j.dam.2021.09.024.)

4. J. Asplund et al., "*A Vizing-type result for semi-total domination*", Discrete Applied Mathematics 258 (2019) 8-12. (https://doi.org/10.1016/j.dam.2018.11.023.)

5. K. Atanassov, "*Intuitionistic fuzzy sets*", Fuzzy Sets Syst. 20 (1986) 87-96.

6. R.A. Beeler et al., "*Total domination cover rubbling*", Discrete Applied Mathematics 283 (2020) 133-141. (https://doi.org/10.1016/j.dam.2019.12.020.)

7. S. Bermudo et al., "*On the global total k-domination number of graphs*", Discrete Applied Mathematics 263 (2019) 42-50. (https://doi.org/10.1016/j.dam.2018.05.025.)

8. M. Bold, and M. Goerigk, "*Investigating the recoverable robust single machine scheduling problem under interval uncertainty*", Discrete Applied Mathematics 313 (2022) 99-114. (https://doi.org/10.1016/j.dam.2022.02.005.)

9. S. Broumi et al., "*Single-valued neutrosophic graphs*", Journal of New Theory 10 (2016) 86-101.

10. V. Gledel et al., "*Maker–Breaker total domination game*", Discrete Applied Mathematics 282 (2020) 96-107. (https://doi.org/10.1016/j.dam.2019.11.004.)

11. M.A. Henning, and A. Yeo, "*A new upper bound on the total domination number in graphs with minimum degree six*", Discrete Applied Mathematics 302 (2021) 1-7. (https://doi.org/10.1016/j.dam.2021.05.033.)

12. Henry Garrett, (2022). "*Beyond Neutrosophic Graphs*", Ohio: E-publishing: Educational Publisher 1091 West 1st Ave Grandview Heights, Ohio 43212 United States. ISBN: 979-1-59973-725-6 (http://fs.unm.edu/BeyondNeutrosophicGraphs.pdf).

13. Henry Garrett, "*Dimension and Coloring alongside Domination in Neutrosophic Hypergraphs*", Preprints 2021, 2021120448 (doi: 10.20944/preprints202112.0448.v1).

14. Henry Garrett, "*Properties of SuperHyperGraph and Neutrosophic SuperHyperGraph*", Neutrosophic Sets and Systems 49 (2022) 531-561 (doi: 10.5281/zenodo.6456413). (http://fs.unm.edu/NSS/NeutrosophicSuperHyperGraph34.pdf). (https://digitalrepository.unm.edu/nss_journal/vol49/iss1/34).

15. Henry Garrett, "*Three Types of Neutrosophic Alliances based on Connectedness and (Strong) Edges*", Preprints 2022, 2022010239 (doi: 10.20944/preprints202201.0239.v1).

16. V. Irsic, "*Effect of predomination and vertex removal on the game total domination number of a graph*", Discrete Applied Mathematics 257 (2019) 216-225. (https://doi.org/10.1016/j.dam.2018.09.011.)

17. B.S. Panda, and P. Goyal, "*Hardness results of global total k-domination problem in graphs*", Discrete Applied Mathematics (2021). (https://doi.org/10.1016/j.dam.2021.02.018.)

18. N. Shah, and A. Hussain, "*Neutrosophic soft graphs*", Neutrosophic Set and Systems 11 (2016) 31-44.

19. A. Shannon and K.T. Atanassov, "*A first step to a theory of the intuitionistic fuzzy graphs*", Proceeding of FUBEST (Lakov, D., Ed.) Sofia (1994) 59-61.

20. F. Smarandache, "*A Unifying field in logics neutrosophy: Neutrosophic probability, set and logic, Rehoboth:* " American Research Press (1998).

21. H. Wang et al., "*Single-valued neutrosophic sets*", Multispace and Multistructure 4 (2010) 410-413.

22. L. A. Zadeh, "*Fuzzy sets*", Information and Control 8 (1965) 338-354.